

## Design and initial performance of the Askaryan Radio Array prototype EeV neutrino detector at the South Pole

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### ABSTRACT

We report on studies of the viability and sensitivity of the Askaryan Radio Array (ARA), a new initiative to develop a Teraton-scale ultra-high energy neutrino detector in deep, radio-transparent ice near Amundsen-Scott station at the South Pole. An initial prototype ARA detector system was installed in January 2011, and has been operating continuously since then. We describe measurements of the background radio noise levels, the radio clarity of the ice, and the estimated sensitivity of the planned ARA array given these results, based on the first five months of operation. Anthropogenic radio interference in the vicinity of the South Pole currently leads to a few-percent loss of data, but no overall effect on the background noise levels, which are dominated by the thermal noise floor of the cold polar ice, and galactic noise at lower frequencies. We have also successfully detected signals originating from a 2.5 km deep impulse generator at a distance of over 3 km from our prototype detector, confirming prior estimates of kilometer-scale attenuation lengths for cold polar ice. These are also the first such measurements for propagation over such large slant distances in ice. Based on these data, ARA-37, the  $\sim 200$  km<sup>2</sup> array now in its initial construction phase, will achieve the highest sensitivity of any planned or existing neutrino detector in the  $10^{16}$ – $10^{19}$  eV energy range.

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### 1. Introduction

At PeV energies and above ( $1 \text{ PeV} = 10^{15} \text{ eV}$ ), ultra-high energy (UHE) neutrinos can be most efficiently detected in dense, radio-

frequency (RF) transparent media via the Askaryan effect [1]. The abundant cold ice covering the geographic South Pole, with its exceptional RF clarity, has been host to several pioneering efforts to develop this approach, including RICE [19] and ANITA [21,23], which trace their roots back to suggestions made in the mid-1980s [2]. Within the last year, a multi-phased experiment (the Askaryan Radio Array, or “ARA”) has been initiated at the South

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Pole [3], designed to ultimately accumulate hundreds of *cosmogenic neutrinos*: those neutrinos which arise from the cumulative interactions of ultra-high energy cosmic rays (UHECRs) throughout the universe [4], specifically through the Greisen–Zatsepin–Kuzmin, or GZK process [5,6]. Combining the drilling and logistics experience of IceCube, the *in situ* RF experience of RICE and the sub-nanosecond-scale data acquisition and triggering of ANITA, the singular goal of Phase 1 of ARA is to make the first definitive observation of the cosmogenic neutrinos with a radio antenna array covering a roughly 200 km<sup>2</sup> area, denoted here as ARA-37, indicating the 37 detector nodes, or *stations*, which comprise the array.<sup>1</sup>

In the longer-term, the modularity of the ARA design will engender cost-effective growth of the array to the Teraton scale necessary to carry out an observatory-class UHE neutrino science program with broad intellectual merit, comprising basic particle physics, including neutrino flavor and cross-section studies in previously unprobed kinematic regimes; astrophysics such as tests of models of galactic evolution, as well as cosmic acceleration and propagation models relevant to ultra-high-energy cosmic ray (UHECR) observatories such as the Pierre Auger and Telescope Array Experiments.

A critical question for any radio-based instrument deployed at the South Pole is whether the local man-made radio interference will prevent such an instrument from reaching its science goals. In addition, *in situ* measurements of the radio noise floor, and the radio transmissivity of the ice, as well as its propagation characteristics, are necessary to assess the ultimate sensitivity of ARA.

To address these issues, we have deployed an initial ARA detector station in prototype form, which we also denote the ARA Testbed, with much of the functionality planned for the ARA-37 design. One of the features of the current ARA design is that each element of the large array comprises a stand-alone neutrino detector for its surrounding ice. Although multiple-station events are in no way excluded, they are not required for either triggering or reconstruction of the interaction vertex or neutrino direction. This is done to maximize the sensitivity of the array at the expense of some angular and energy resolution. Once UHE neutrino fluxes and first-order energy spectra are established with a discovery instrument, then future installations can be further optimized for resolution as well as sensitivity.

In our current design, a single array element, denoted as a *station* here, consists of a cluster with of order 16 embedded antennas, deployed up to 200 m deep in several vertical boreholes placed with tens-of-meter horizontal spacing to form a small sub-array. We report here on the initial deployment of our first station, and results of measurements over the first four months of its operation. In all aspects the environment and ice quality have exceeded our expectations, and the prospects for ARA-37 thus appear excellent.

## 2. Instrument design

### 2.1. Overall system

The ARA stations must be designed to detect a highly linearly-polarized RF impulse arriving from any direction, either as an approximate plane wave (for distant sources) or a spherical wave for sources that are closer. The individual antennas that comprise a station must have a response that is preferably dipole-like in angular extent, but the antenna array must also be sensitive in two orthogonal polarizations to avoid any bias against detecting

arbitrary planes of polarization, since the RF impulses that arise from the Askaryan effect may be observed at an arbitrary angle with respect to the plane of polarization.

Because of practical limitations on drilling, the antennas should fit within a 15 cm diameter borehole, and they should be at a depth below the firn, the top layer of the ice sheet made of compacted snow of density lower than that of solid ice, and extending down typically 150 m at the South Pole. Antennas within the firn are subject to ray-bending within the refractive index gradient which complicates the triggering and reconstruction, and also leads to an effective inverted horizon, cutting off the detectability of more distance sources in the ice. Since South Polar ice has its highest RF clarity in the coldest ice, the antenna array response should be optimized for detection in the upper 1–1.5 km of ice, although deeper events will also be seen. Since drilling costs increase dramatically with the required depth of the hole, there is clear cost-benefit in making the holes no deeper than needed to achieve the science goals. The array must also guard carefully against any self-noise radio interference, that is: all data acquisition, power, and transmission lines must be electromagnetically shielded with extreme care.

In Table 1, we list the primary instrument specifications chosen for the ARA station design, giving key parameters such as the geometry and antenna requirements. The ARA prototype instrument shares much of the functionality of the planned complete ARA stations, with several notable differences, which are enumerated in the table. The choice of the number of antennas per borehole and the total number of boreholes has been optimized as a trade between detection sensitivity, which improves with more boreholes and more antennas per borehole, and total cost, which is a strong function of both the number of boreholes and the number of antennas. Thus we have chosen a configuration that we found to be the most economical while still retaining the necessary sensitivity to meet our cosmogenic neutrino detection goals.

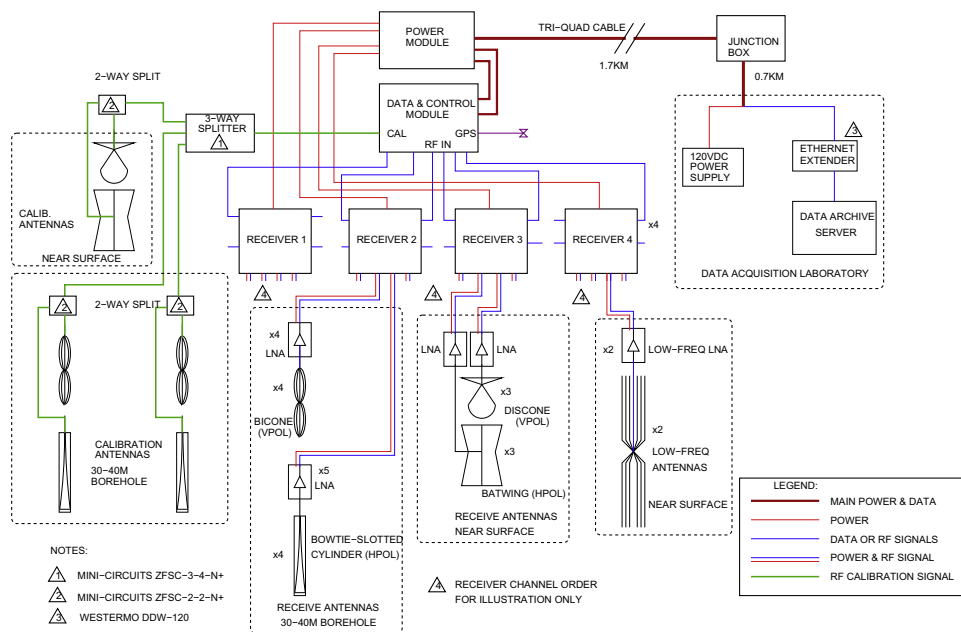
A block diagram of the installed ARA testbed station is shown in Fig. 1. A variety of different antennas, both downhole and near-surface, are used. In each case a low-noise preamplifier is inserted in close proximity to the antenna to minimize insertion loss and associated thermal noise. Highly-shielded coaxial cables (Andrew Heliax or Times Microwave LMR-series cables) then lead the signals to a secondary receiver which boosts the signal with another 40 dB amplifier to bring the thermal noise levels (which are several  $\mu$ V referenced to the LNA inputs) to several tens of mV RMS at the DAQ system. The signal is split for separate trigger and waveform recording paths. For each trigger, the RF waveforms and associated housekeeping (temperatures, threshold settings, antenna singles rates, etc.) are recorded locally by a single-board computer, then transmitted over twisted pair wires via an ethernet modem to a data receiving computer at the South Pole station. There the data is repackaged for transmission via satellite link to northern hemisphere computer archives. Future installations will use an optical fiber or wireless data link for the data transmission to and from the individual stations.

Fig. 2 shows the physical layout of the testbed system, centered on the junction box which contains the main data acquisition electronics. There are three antenna clusters in 2 m deep holes near the surface, each containing 0.6 m diameter discone and batwing-style antennas. Six boreholes are drilled on a 10 m radius, with depths of between 20 and 30 m; these contain the primary vertical polarization biconical and horizontally polarized bowtie-slotted cylinder (BSC) antennas, along with an alternate design for a horizontally polarized antenna, the quad-slot cylinders in one hole. Calibration antennas are placed on an equilateral triangle on a 30 m radius circle. Two of the calibration boreholes are about 25–30 m deep and one is 2 m deep. Two of the three boreholes were used to take data during the commissioning phase, and the third (CAL 2) is still being used in a repetitive low-rate pulse mode for system monitoring.

<sup>1</sup> As of this writing, ARA-37 has received approval and funding for construction of the initial nine stations, three of which are scheduled for deployment in the period from 2011 to 2012, and is awaiting approval and funding for construction and deployment of the balance of the 37-station array.

**Table 1**  
Design specifications for ARA, and the implementation for the prototype station.

Specified parameter	ARA 2012++ planned	ARA 2010–2011 prototype
Number of Vpol antennas	8	2 near-surface, 4 in ice
Vpol antenna type	Bicone	Bicone
Vpol antenna bandwidth (MHz)	150–850	150–850
Number of Hpol antennas	8	2 near-surface, 6 in ice
Hpol antenna type	Quad-slotted cylinder	Bowtie-slotted-cylinder
Hpol antenna bandwidth (MHz)	200–850	250–850
Number of surface antennas	4	2
Surface antenna type	Fat dipole	Fat dipole
Surface antenna bandwidth (MHz)	30–300	30–300
Number of signal boreholes	4	6
Borehole depth (m)	200	30
Vertical antenna configuration	H, V above H, V	V or H above H or V
Vertical antenna pair spacing (m)	20	5
Approximate geometry	Trapezoidal	Trapezoidal
Approximate radius (m)	10	10
Number of calibration antenna boreholes	3	3
Calibration borehole distance from center (m)	40 (2), 750 (1)	30
Calibration borehole geometry	Isosceles triangle	Equilateral triangle
Calibration signal types	Noise and impulse	Impulse only
LNA noise figure (K)	<80	<80
LNA/amplifier dynamic range	30:1	30:1
RF amplifier total gain (dB)	>75	>75



**Fig. 1.** Block diagram of the entire ARA prototype system.

**2.2. Antennas**

Antenna designs for ARA are highly constrained by the need to fit into a borehole in the ice. Currently, ARA has demonstrated the ability to successfully drill 15 cm diameter boreholes of the required 200 m depth. This hot-water drilling operation requires pumping out the drill water after completion of the hole, to avoid freeze-in of ARA equipment, at least in the early phases of array construction where recovery of downhole instrumentation when necessary helps to improve reliability. For our initial season, equipment for pumping the holes dry was not available yet, and thus the initial season's boreholes were drilled only to a depth of order 30 m typically, where pooling of water prevented deeper drilling. However, the 15 cm diameter for these holes was maintained.

An additional issue for borehole antennas where there are multiple antennas along the hole, fed by cables from the surface, is that

the conductive coaxial cables must pass through upper antennas to reach lower ones. This constraint forces the need for a central hole in the antenna to ensure a uniform azimuthal response, and these holes require re-design of the antenna feed region for many traditional borehole antenna designs. With the diameter constraint, antennas for vertical polarization are straightforward: a fat-dipole or related biconical designs will provide very broadband, well-matched antennas. With the additional cable-passthrough constraint, it is more difficult to find a design that retains azimuthal symmetry while still passing the signal cable, but we have settled on a hollow-center biconical design, where the feed region is annular around the passthrough cables, and is fed at multiple locations along the annulus, with appropriate impedance matching.

For a corresponding antenna with horizontal polarization (Hpol) two designs were implemented for testing in the ARA -testbed: a bowtie-slotted-cylinder (BSC) antenna, and a

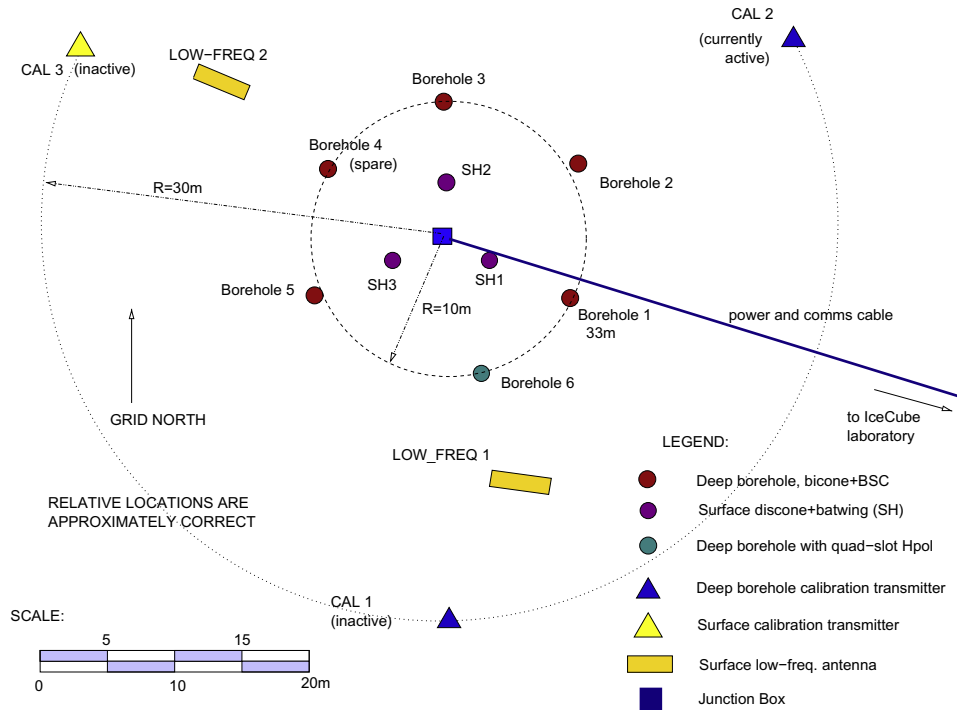


Fig. 2. Physical plan view of the ARA testbed system.

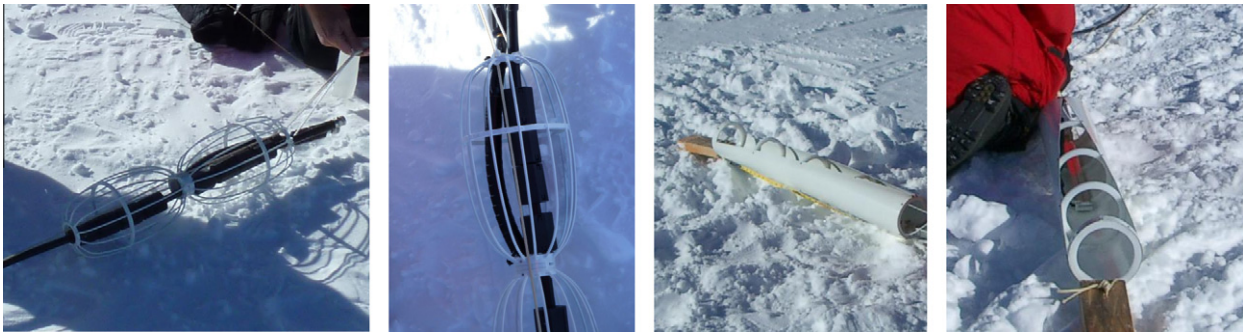


Fig. 3. ARA testbed downhole antennas: left two images, wire-frame bicone Vpol antennas; right two images, bowtie-slotted-cylinder Hpol antennas.

quad-slotted-cylinder (QSC) antenna with internal ferrite loading to effectively lower its frequency response. The goal for both sets of antennas was to cover a frequency range from about 150–850 MHz. This goal was achieved with the Vpol antennas, but the 15 cm diameter borehole constraint has proved challenging for the Hpol antennas, both of which have difficulty getting frequency response below about 200–250 MHz in ice. In addition, the BSC antenna, although it was found to have better efficiency than the QSC, suffers from some azimuthal asymmetry in its response, and thus the QSC, which has uniform azimuthal response, will be used for future ARA stations. In the current testbed station, we have primarily used the BSC antennas because of the ease of their manufacture for the 2011 season. Fig. 3 shows photographs of the wire-frame bicone antennas and the BSCs as they were readied for deployment. Fig. 4 shows a photo of one of the QSC prototypes (only one of the four slots is evident), along with simulated results for the gain patterns in elevation and azimuth, illustrating the uniformity, which was confirmed at several angles in laboratory measurements.

Figs. 5 and 6 show the voltage standing wave ratio (VSWR), along with the power transmission coefficient for the primary

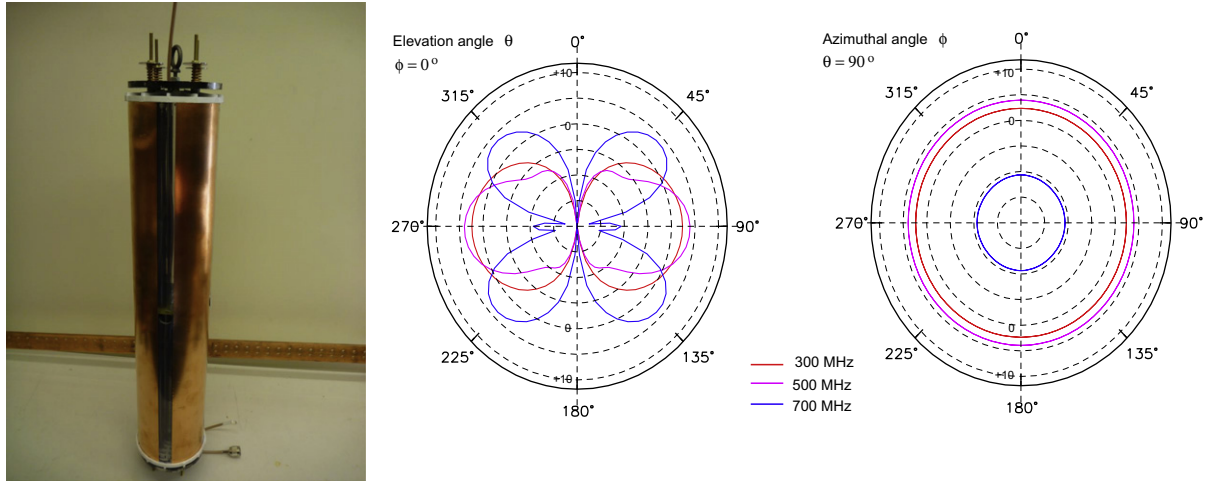
borehole antennas used for the ARA-testbed. VSWR is related to the complex voltage reflection coefficient  $\rho$  of the antenna via the relation

$$VSWR(\nu) = \frac{|\rho(\nu) + 1|}{|\rho(\nu) - 1|}$$

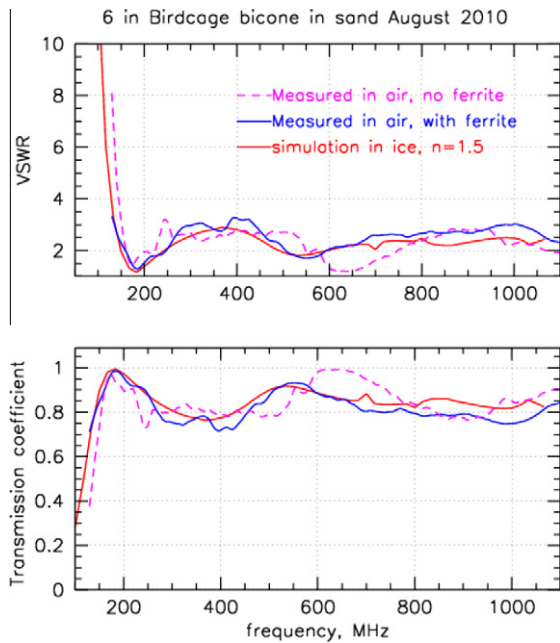
and the effective power transmission coefficient  $T$  (either as a receiver or transmitter from antenna duality) is given by

$$T(\nu) = |1 - \rho(\nu)|^2$$

and may be thought of as the effective quantum efficiency of the antenna vs. frequency  $\nu$  although RF antennas in the VHF to UHF range never operate in a photon-noise limited regime. Note that initial testing of the antennas is done in air to verify the first-order transmission characteristics; however, the actual design frequency range of the antennas is only achieved once they are immersed in the surrounding ice dielectric which varies in its radio index of refraction from  $n = 1.5$  for the typical 25–30 m depths in the ARA testbed, to values of  $n = 1.7$ – $1.8$  at the 180–200 m depths planned for the full array.



**Fig. 4.** Left: quad-slot cylinder antenna used in one borehole for ARA-testbed. Center: simulated gain (dBi) vs. elevation angle (zero degrees is the vertical direction) for three frequencies for the QSC antenna. Right: simulated gain (dBi) in the horizontal plane vs. azimuth, showing the high degree of uniformity of the QSC azimuthal response.



**Fig. 5.** Measured and predicted voltage standing wave ratio (VSWR, top) and equivalent power transmissivity (bottom) of the bicone antenna, with and without the internal ferrite loading on the feedline. The ferrite loading is necessary to prevent coupling of RFI via stray induced currents the external shield; these results show that the presence of the ferrites within the antenna did not degrade the performance.

In addition to the coupling efficiency of the antennas, the other important parameter for RF performance is the antenna directivity gain  $G$ , often denoted as just gain, and related to the effective power collection area of the antenna via the fundamental relation

$$A_{eff}(\nu) = \frac{Gc^2}{4\pi\nu^2}$$

for the speed of light  $c$ .  $A_{eff}$  is in turn related to the vector effective height of the antenna by

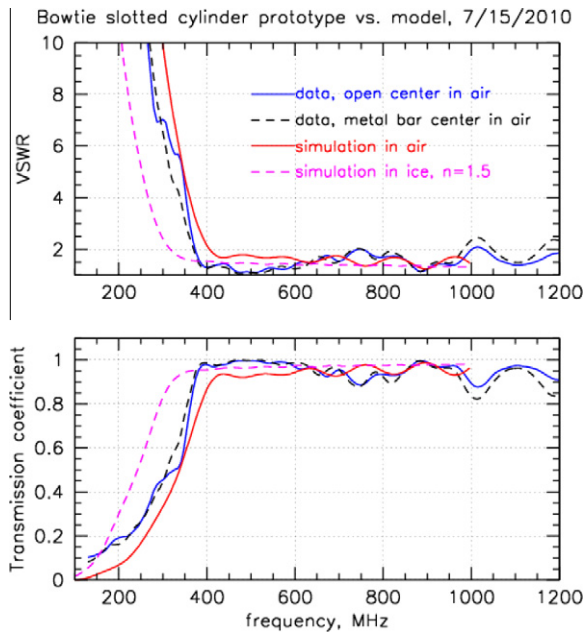
$$\vec{h}_{eff} = 2\sqrt{\frac{R_r A_{eff}}{\eta}} \hat{h}$$

where  $R_r$  is the radiation resistance of the antenna,  $\hat{h}$  is a unit vector representing the antenna axis, and  $\eta = \sqrt{\mu/\epsilon}$  is the impedance of the medium,  $\eta \approx 120\pi \Omega$  in free space [18]. For simple antennas such as dipoles, the induced voltage into a matched receiver load is given by  $V = \vec{E} \cdot \vec{h}_{eff}/2$ , and for our borehole antennas  $\hat{h} = \hat{z}$ , where  $\hat{z}$  is the local vertical direction. For our horizontally-polarized antennas which rely on coupling to a slot (the Babinet dual to a dipole), the coupling may either be thought of as a magnetic induction to the slot, or as electric coupling to an effective height which is toroidal, e.g.  $\hat{h} = \hat{\phi}$  where  $\hat{\phi}$  is the azimuth unit vector in cylindrical coordinates. In either case, for our broadband antennas which have more complex frequency-dependence, detailed estimates of the antenna response will require an integral over the frequency-dependent behavior. For antennas immersed in a dielectric, both the speed of light and impedance are affected. The dielectric generally lowers the frequency response of the antenna compared to air.

For our biconical antennas, we found the gain to be commensurate with that expected from a theoretical bicone, with a primary mode that behaves as  $\cos^2$  of the polar angle, and extends for about 1 octave in frequency compared to the turn-on of the antenna. At higher frequencies, the response becomes multi-modal as expected from a dipole used at its higher-order resonance regions, but the frequency bandwidth of these modes is much larger than for a resonant dipole, due to the broadband biconical response. The QSC Hpol antenna gain behaves in a very similar manner to the bicones, except that its turn-on frequency is higher; this is consistent with the slot antennas performing as a Babinet complementary antenna to a dipole.

For the BSC antenna, the response is more like an inverted broadband monopole, as shown in Fig. 7. In the top pane, the polar angle response is shown. The antenna is oriented horizontally for this plot, but in the borehole it is placed vertically with the high-frequency response peaking down, giving the antenna higher sensitivity to upcoming RF at high frequencies. In azimuth there is also a front-to-back asymmetry which leads to better response for incoming RF for the side with the open slot.

Several other antennas were employed in the ARA testbed. Several larger discone (Vpol) and batwing (Hpol) designs were submerged about 1 m below the surface, and these performed well, but as they require a 40 cm diameter borehole they are impractical for future use. We also deployed two surface fat-dipole (SFD) antennas (Fig. 8 with a frequency response extending over a much lower range than our borehole antennas: 30–300 MHz. These were



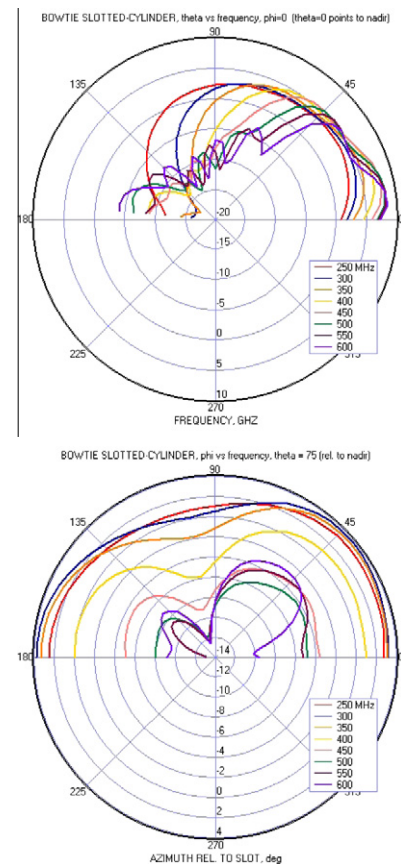
**Fig. 6.** Measured and predicted voltage standing wave ratio (VSWR, top) and equivalent power transmissivity (bottom) of the bowtie-slotted-cylinder antenna, along with simulations in air and in ice. Measurements were also made with a metal bar passing through the center of the antenna to confirm its immunity to an internal conductor. Note that the antenna's design turn-on frequency of 250 MHz is only achieved in ice where the surrounding dielectric lowers the frequency response; the data in air is used to validate the model performance.

emplaced to assess the environment for detection of geosynchronous RF emission from cosmic ray extensive air showers (EAS) which arrive from interactions in the atmosphere above the array. Such RF impulses have predominantly lower frequency content than shower-initiated impulses arising from within the ice [15], but have RF spectra which can extend to hundreds of MHz [16] and thus will be detected in the deeper antennas as well. The SFDs in this case can function as a way to conclusively tag EAS radio events and distinguish them from other RF interference, if the backgrounds are low enough in the VHF band.

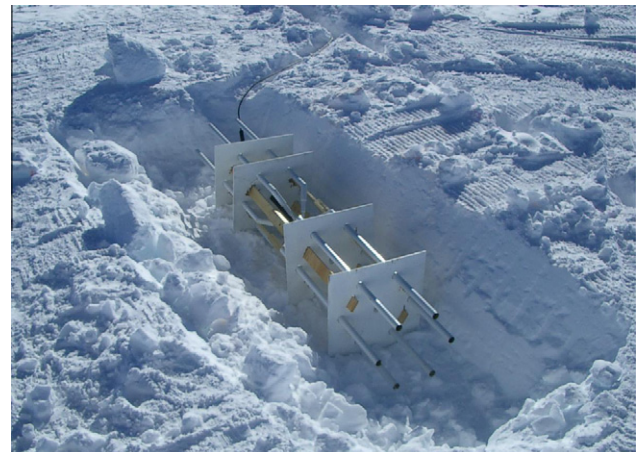
### 2.3. Preamplifiers and receivers

The ARA testbed preamplifier module consists of a front-end passband and notch filter designed to block any out-of-band signals and to notch one strong in-band signal from the South Pole communication system at about 450 MHz, and a low-noise amplifier (LNA). Any insertion loss in the front-end filter causes a loss of signal combined with an increase in thermal noise, and this filter was thus carefully designed to minimize in-band losses to a fraction of 0.5 dB or less. The notch and the out-of-band rejection of the filter are necessary to prevent unwanted anthropogenic noise from saturating the LNA and driving it into a nonlinear operating range where its gain would be compressed.

The combination of the front-end filter and LNA contributes about 80K of input-referenced noise to the signal path, and the external thermal noise of the ice at an ambient temperature of 220–230 K (the average extends out to a volume of ice of order 1 attenuation length in radius), giving a resulting total thermal noise of order 300–310 K, corresponding to about  $-85$  dBm power referenced to the input of the LNA. Once the signals are amplified by the LNA, they are transmitted to the top of the borehole where a 2nd stage receiver amplifier with gain of about 40 dB boosts the signals again to a range where they can be digitized.



**Fig. 7.** Top: BSC gain for a range of frequencies, as a function of polar angle. The feed point of the antenna is to the left, and the antenna is aligned with the x-axis here. Bottom, azimuthal response for a similar range of frequencies.



**Fig. 8.** Fat dipole used for low-frequency measurements in ARA-testbed. The antenna is about 0.5 m in diameter and 4 m long, and is installed just below the surface in the trench shown.

The gain and noise figure of the preamplifier + receiver signal chain was measured for all ARA testbed channels using an Agilent HP8970A noise figure meter with an National Institute of Standards and Technology (NIST)-traceable calibrated noise source. These measurements were done with at the South Pole station just prior to initial installation at an ambient temperature of about  $-15$  °C. This is warmer than the expected temperatures in the ice and at the surface during the austral winter, and thus separate

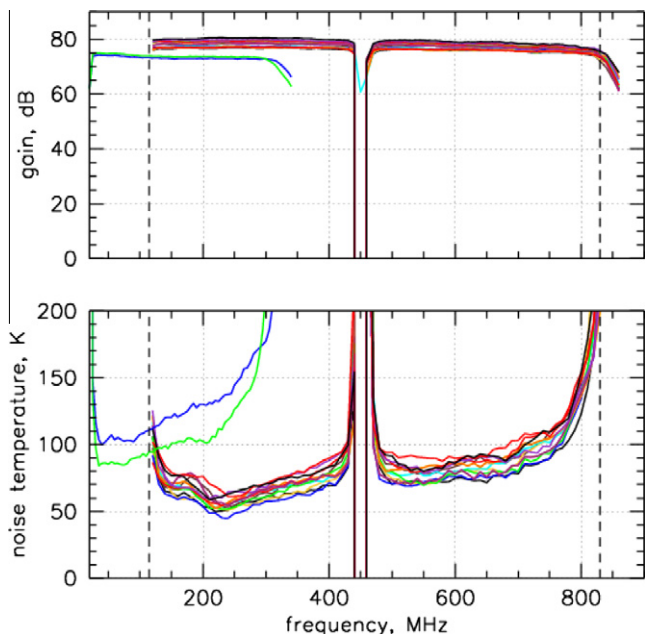
measurements were made in a freezer at  $-55\text{ }^{\circ}\text{C}$  to determine the additional temperature scaling for the noise figure and gain.

The results for the noise figure and gain as a function of frequency are shown in Fig. 9. The complete system gain is close to 80 dB as expected, and the noise figure of the preamplifier modules is in the range of 70–90 K over most of the band, except for the region of the notch at 450 MHz, and the high edge of the band where both cable and low-pass filter attenuation begins to dominate. Given that the ambient temperature of the ice is still the dominant contribution to the overall system noise, these results are well within the specifications.

#### 2.4. Trigger, digitizer, and data harvesting

Although it is currently possible to continuously digitize RF signals and use these digital waveforms to assess the possible presence of impulsive events of interest, the power requirements for such a streaming trigger are still prohibitive for our design goals, which require that future ARA stations be ultimately able to function at remote locations far removed from large-scale power infrastructure. Thus we only digitize waveforms when a separate analog system determines that some interesting pattern of RF signals has crossed above an intensity threshold.

The ARA-testbed system uses coaxial tunnel diode detectors to provide a unipolar signal proportional to the instantaneous RF power over a few nanosecond time scale, and these pulses are fed into a discriminator implemented via a field-programmable gate array (FPGA) using low-voltage differential signal comparators. The FPGA then generates digital one-shot signals for each of the 16 input antennas, and these digital outputs can in turn be assessed via firmware logic to determine if a trigger condition is met. For our current system, the primary trigger is set so that when any 3 of the 8 primary Vpol and Hpol borehole antennas produce signals crossing threshold within a 100 ns window, the trigger condition is satisfied, and all waveforms are digitized and read out by the data acquisition system (DAQ) which is shown in block diagram form in Fig. 10.



**Fig. 9.** Total gain and noise figure for ARA prototype preamplifiers + receivers. The two low-frequency antenna LNAs appear to the leftmost part of the plot in green and blue. These measurements were made at a temperature of  $-15\text{ }^{\circ}\text{C}$  (the ambient surface temperature at the time) just prior to deploying the preamplifiers.

The trigger condition of any three of the primary eight borehole antennas crossing a pre-set threshold leads to a strong dependence of the overall global trigger rate on the individual threshold-crossing rates, or singles-rates  $R_{single}$ , of each antenna, which in turn is determined both by the average power level in each antenna, and by the value and stability of the pre-set threshold. To first order the global trigger rate is given by:

$$R_{k:N} = \sum_{k=3}^N \binom{N}{k} R_{single}^k \tau^{k-1} \quad (1)$$

and  $\tau$  is the coincidence window, 100 ns in our case, and  $N = 8$  is the number of antennas that contribute to the coincidence. From this it is evident that the global rate depends on at least the cube of the singles rate. Since we are triggering on fluctuations in the antenna power which follow an exponential distribution,  $R_{single} \propto \exp(-V_{thresh})$  [7], and the global trigger rate will depend on the cube of an exponential of the voltage threshold, or the underlying power level, illustrating the degree of sensitivity to both thermal noise changes and threshold stability. For this reason, it is generally advisable to implement a *noise-riding* threshold, in which closed-loop control of the voltage thresholds, at a typical loop time constant of order 1 Hz, maintains approximately constant  $R_{single}$ , while recording the thresholds used. This creates a nearly negligible change in overall sensitivity but leads to more stable operation. Such a noise-riding system was designed into our current trigger, but has not been yet implemented in the operating period we describe here. In fact we do see evidence of temperature-dependent drifts in global trigger rate in our current data, as can be seen in Fig. 12 and described in Section 3.1 below.

Our current DAQ system has a maximum sustained trigger rate of 25 Hz due to limitations of the readout system that will be improved substantially for future stations. However, rates above 10 Hz incur substantial deadtime for the system, so we currently set thresholds to keep the rate below a few Hz. This trigger level is quite sensitive, however, as shown by Fig. 11. Here the trigger efficiency is shown as a function of the SNR of the received signal relative to the thermal noise level of the system, which constitutes the ultimate noise floor. Our current system is 50% efficient for any incoming impulse which gives antenna voltage amplitude exceeding  $3.5\sigma$  above thermal noise.

12-Bit waveform analog-to-digital conversion is performed using the Large Analog Bandwidth Recorder and Digitizer with Ordered Readout (LABRADOR), an Application Specific Integrated Circuit (ASIC) developed at the Univ. of Hawaii [8]. In our implementation of the LABRADOR, eight of the channels are sampled at 2 Giga-samples/second effectively, with a 1 GHz Nyquist cutoff, and the remaining eight channels are sampled at 1 Gsample/s with a 500 MHz Nyquist cutoff. The latter channels are primarily the surface and near-surface antennas. Near-future implementations of a new ASIC for ARA will extend the high-rate sampling and bandwidth to all 16 channels.

Once digitized, the data is transferred from the LABRADOR to a single-board computer and packetized. Data is then transferred via an ethernet extender over 1.8 km of twisted pair cable from the testbed DAQ computer to a server residing in a South Pole laboratory, where it is archived on disk. A selection of data is then packaged for transfer via a satellite link to northern hemisphere data servers.

#### 2.5. In situ calibration

To ensure that the triggering and data acquisition system are functioning properly, the trigger threshold is set such that we trigger at a low but quasi-continuous rate on thermal accidentals. This rate is typically 1 Hz or less. In addition, the system is software-triggered at 0.5 Hz to provide a continuing record of unbiased

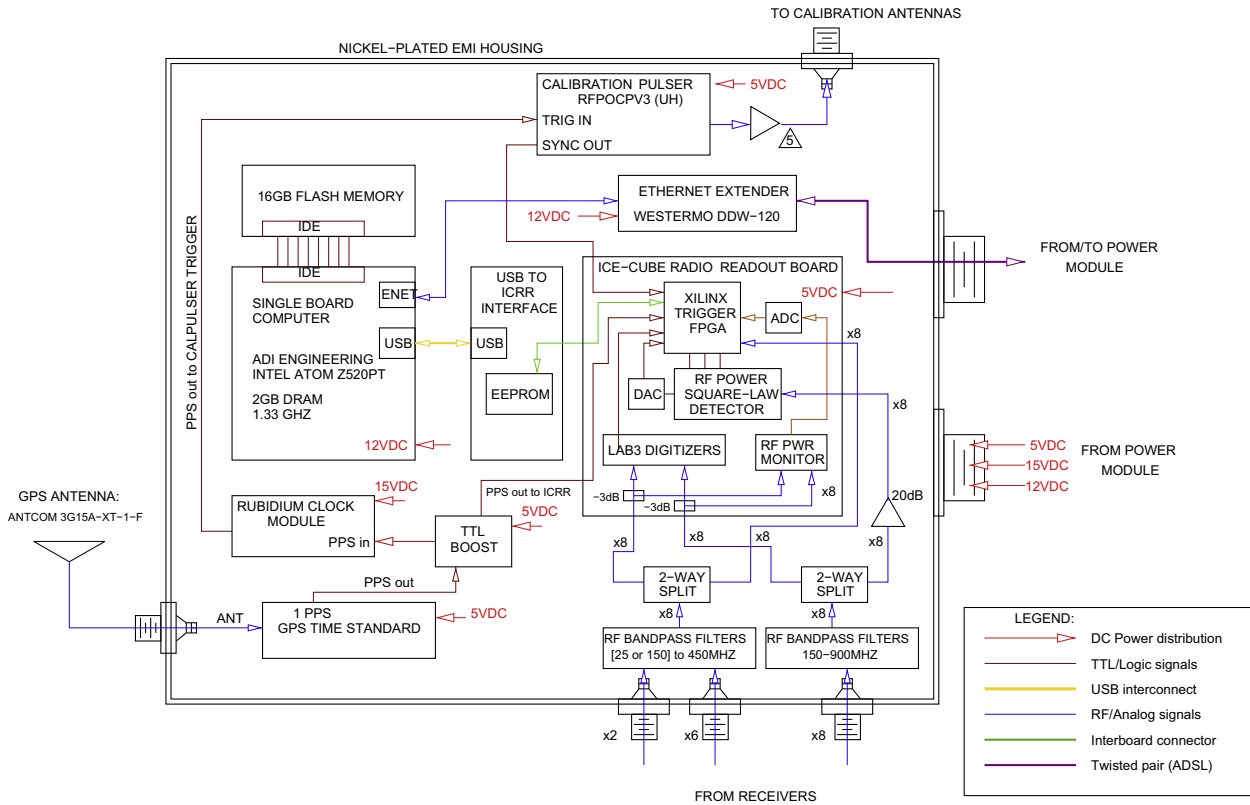


Fig. 10. Block diagram of the ARA remote data acquisition system.

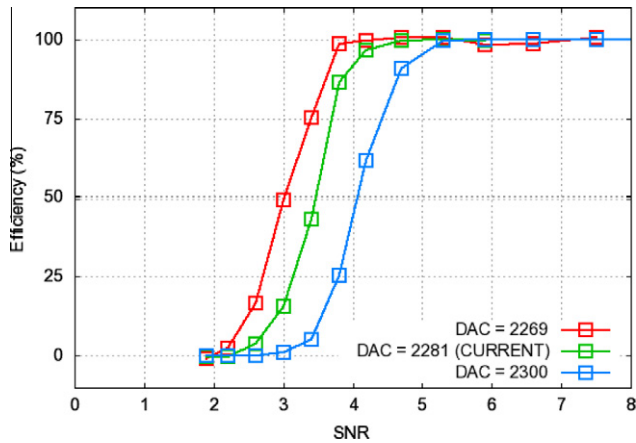


Fig. 11. Overall trigger efficiency vs. the voltage signal-to-noise ratio of the input RF impulse. The SNR is measured with respect to the RMS receiver voltage for the baseline thermal noise level.

waveform samples of the RF background. Finally, a GPS-synchronized Rubidium clock triggers a local calibration pulser that sends ~250 ps impulse to antennas in a borehole about 30 m radius from the center of the testbed array, and this impulse is split and transmitted from both Vpol and Hpol antennas to provide an impulse calibration for the array. Arrival times for these impulses at each antenna help to determine residual inter-antenna delays for the array, and this in turn is used to model the local index of refraction of the ice.

2.5.1. Deep IceCube calibration pulser

To date all results of long-path ice transparency measurements for the Antarctic ice sheets have been made via transmission paths

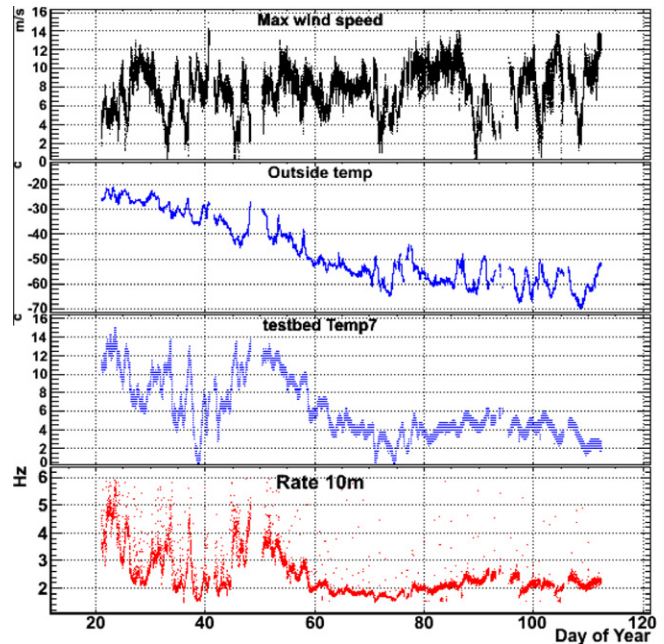


Fig. 12. Top: recorded South Pole wind speeds near the ARA-testbed site. Upper middle: air temperature near the site. Lower middle: internal temperature with the data acquisition electronics housing. Bottom: Global trigger rate for the ARA-testbed, showing a strong correlation with the electronics temperature.

that are largely vertical through reflections off the basal interface at the bottom of the ice mass [9]. Such measurements produce conservative lower limits to the average integrated ice attenuation length. If the bottom reflection coefficient is known, the resulting attenuation length measurement can be stated with higher



confidence, although it still represents an average over a large range of ice temperatures. For South Pole ice, experiments in this vein have yielded several results on the ice attenuation that indicate km-scale attenuation lengths in the upper km of ice [9–12].

For ARA we are interested not just in near-vertical propagation, but propagation over a full range of angles, since neutrino interactions can take place throughout the ice target mass. To begin to address measurements that will support horizontal or slant propagation, we were able in the 2010–2011 season, with the help and cooperation of the IceCube project, to deploy a set of pulse generators and antennas at several locations near the ARA edge of the IceCube detector, at ice depths of up to 2450 m. These pulser systems used several kV-peak impulses transmitted through a vertically-polarized biconical antenna. Estimates of the signal strength received in the ARA-testbed using conservative values for the ice propagation were used to size the choice of transmitter amplitude, but with some risk that, if the ice were much more transparent than expected, the ARA-testbed might see saturation in the received signals. This risk was accepted since stations further away from IceCube would still receive signals within acceptable amplitude ranges. Results of these pulser tests are presented in a later section.

### 3. Instrument performance

The ARA testbed installation was completed in the third week of January 2011, at a location approximately 1.8 km grid East of the IceCube detector, and has been operating nearly continuously since that time. The instrument's internal Rubidium clock, stabilized to a GPS receiver, provides a 1 Hz pulse that is used to trigger the calibration pulser, and this in turn provides a stable repetitive RF trigger which can be used to monitor trigger and amplitude stability. The system also triggers on fluctuations of ambient RF thermal noise at quiescent rates of typically 0.5–1 Hz, and in addition we use the DAQ computer to force a trigger at 0.5 Hz to get unbiased waveforms of the ambient RF noise in each antenna channel. During the early part of the operation of the testbed in mid-January, we also took several dedicated runs where we turned on the IceCube RF pulsers; since that time we have not repeated these runs as it requires the presence of personnel who are not available during the winter months at South Pole. In the remainder of this section we report on various measures of the instrument performance for the first 4 months of 2011.

#### 3.1. Environmental

Fig. 12 shows a time series of several measured environmental conditions for the ARA testbed. We monitored the wind speed and outside temperature at locations near the South Pole station. Fig. 12 shows that the overall average trigger rate of our system has remained quite low for the duration of its operation so far, and shows no obvious correlation with wind speed. Possible correlation of RF thermal noise with blowing snow was a hypothesis we wished to check, since blowing snow is known to create static charge buildup on capacitive metal structures in polar regions where the humidity is extremely low. For the ARA-testbed, all surface equipment was deployed so that snow would drift in and bury it soon after it was deployed, to avoid having any remaining conductive structure on the surface. We have so far found no evident trigger-rate correlation with wind speeds.

In the current electronics version, the digital-to-analog converter (DAC) voltages that set the discriminator thresholds are held at fixed digital values, but due to temperature-dependence, the actual output voltages of the discriminator thresholds will drift slightly with temperature. Our operational software has the capa-

bility to allow the threshold to servo on the overall rates, but this was not implemented for the testbed yet, and thus we expect some correlation of the overall trigger rate with internal temperature, and in fact we see such correlation clearly in the data.

#### 3.2. Thermal noise floor

In radio-frequency detectors within the frequency range of interest for ARA, the detection noise floor is determined by the Johnson–Nyquist noise [13,14] of the system, known as the *thermal noise*, which arises from the uncorrelated spontaneous emission of the entire ensemble of thermal radiating elements in the field of view of the antenna, along with thermal emission from the interconnecting cables, connectors, and the amplifiers in the signal chain. Each of these elements contributes a thermal noise power  $P_i = kT_i\delta\nu$ , where  $k = 1.38 \times 10^{-23} \text{ J K}^{-1}$  is Boltzmann's constant,  $\delta\nu$  is the receiving bandwidth of the system, and  $T_i$  is the effective temperature of the  $i$ th contributing element, including the effects of finite thermal emissivity and the gain or loss of the given element.<sup>2</sup> In general radio astronomy applications, the contribution of thermal radiation from outside the antenna is described at the antenna temperature  $T_{ant}$ , and is kept separate from all contributions arising after the antenna. These later contributions are combined into the system temperature  $T_{sys}$ . For ARA's deep antennas, the thermal radiation from the  $\sim 220 \text{ K}$  ice in which the antenna is embedded dominates the antenna temperature, and the system temperature is in turn dominated primarily by the low-noise amplifier noise temperature, which is typically under 100 K. For surface antennas with a low-frequency response below 100 MHz, there is an additional significant contribution from galactic noise, which is discussed further below.

Because the Askaryan signals arising from a cascade in the ice are essentially frequency band-limited, they arrive within a single temporal mode of the antenna, with duration  $\tau = \Delta\nu^{-1}$ , and during this moment, the antenna temperature can be dominated by the strength of that signal, which must exceed the thermal noise by a factor of two or more to be detected with reasonable efficiency. This detection process occurs in each of the antennas within the station in turn, sequentially arriving with geometric delays appropriate to the arrival direction of the signal and the position of the antenna. It is important to note that in all conditions of interest to cascade impulse detection, the external antenna thermal noise is uncorrelated between antennas that are separated by more than a wavelength, due to the fact that the phases of the radiation from each of the ensemble of molecular thermal radiators in the field of view of each antenna are all random with respect to any other antenna. Thus, in the absence of any radio interference, the average antenna signal-to-noise ratio for detection of a radio impulse arising from a neutrino cascade is determined solely by the signal strength and the sum of the background thermal noise and the system noise. Because the noise during the arrival of the impulse is also sampled within only a single temporal mode, its instantaneous fluctuations are important in the detection process, and must be accounted for in detail to achieve accurate estimates of the detection efficiency.

##### 3.2.1. ARA testbed gain and noise figure

An *in situ* estimate of the thermal noise floor for each of the antennas and receiver systems was made during the installation using a bootstrap method. As noted above, the receiver noise figures were measured separately, along with antenna transmissivity.

<sup>2</sup> For amplifiers or other emitters that occur after the initial low-noise amplifier, the effective temperature of each element is decreased by a factor equal to the product of the inverse gains of preceding elements, thus greatly decreasing their contributions.

During installation, the antenna was replaced by a  $50\ \Omega$  load termination at the ambient temperature of the field site, and a series of noise sample waveforms were collected for the load as well as with the antenna replaced immediately afterwards. Because the termination gives only pure thermal Johnson noise compared to the antenna, any change in the waveforms RMS noise once the antenna is installed is due only to a change in the relative noise power, and this gives the antenna temperature as compared to the load temperature. In practice, the antenna temperatures observed in this calibration were all comparable to the load temperature within the standard errors of the measurement, which were of order 10%. This shows that the antenna temperatures are consistent with the ambient ice temperature. An exception in this procedure was observed for the two surface antennas, which were subject to the strong Galactic noise component below 100 MHz. Above 100 MHz the observed noise in these antennas was consistent with the thermal noise of the ice however.

Fig. 13 shows average Fourier power spectral density of the antenna + receiver thermal noise, taken for several hundred events which were selected as unbiased noise sample waveforms from data taken in late April 2011, run 2533. The thermal noise power level has been first-order calibrated, with a systematic error of about  $\pm 1$  dB. Pure thermal noise at 290 K produces a noise power spectral density of  $-174$  dBm/Hz, and in our case our average ice + receiver thermal noise is just above this, at about 325 K, about 0.5 dB above room temperature equivalent. In most cases the data match these expectations well, but in some cases our gain calibration appears to be offset.

There are several features apparent in these data that are worth noting. First, for each channel the passband filter response is evident. For the borehole antennas (upper eight), the passband is 130–850 MHz; for the next 6 of 8, the passband is 100–400 MHz; these antennas are near-surface antennas that are physically larger and thus respond down to lower frequencies, although their beam patterns are still designed to primarily view down into the ice. The last row contains two borehole Hpol antennas, the QSCs, and the two low-frequency surface fat dipole antennas. The QSCs do not turn on until about 200 MHz. Below their turn-on frequency they act as effective terminations, so the thermal noise power transitions over to Johnson noise. For the surface dipoles, their LNAs are ineffective above about 300 MHz, so they are lowpassed above that frequency.

Second, some channels show ripple of up to  $\pm 1$  dB ( $\sim \pm 10\%$  in power) in the noise spectra; these are likely due to residual antenna impedance mismatches, which create low-level reflections between the antenna and LNA. Such effects can be mitigated with more careful matching which has been achieved in other antennas that do not show these effects. In practice this spectral ripple leads to very little distortion for pulse measurement since the reflection is causally late compared to the signal.

Third, in each of the borehole antennas (the upper eight spectra), a dashed vertical line marks the location of the notch filter, which is weakly visible in these spectra since some of the antenna power is blocked at 450 MHz frequency. In the lower antenna channels, the receivers had a 400 MHz lowpass filter so the spectra are plotted only up to the point where they turn off. In the two surface antennas (last two panes at lower left) there is another notch at 46.28 MHz to suppress a known radar frequency; this is also evident in the data. For these antennas, the rapid rise of Galactic noise below 50 MHz is also evident.

### 3.2.2. Galactic noise

The average galactic radio noise [41] begins to exceed that of the ambient ice at roughly 150 MHz, rising quickly with decreasing frequency  $\nu$  as a power law with

$$T_{\text{sky}} = 800\ \text{K}(\nu/100\ \text{MHz})^{-2.5} \quad (2)$$

Fig. 14 shows the power spectral density for the average of the two low-frequency antennas, showing the excess due to Galactic noise at frequencies below 100 MHz. At 60 MHz, for example, the average sky temperature is about 3000 K, and we observe a noise temperature about 6 dB above our thermal noise. For these antennas, the LNAs had a receiver noise figure of about 100 K in this spectral range, and the dipole response of the antenna effectively averages the noise power from the sky above with that of the ice below with equal weight. Thus we expect an antenna temperature of about 1700 K, a factor of about 5 above the antenna + system temperature due to the ice and LNA, or 7 dB, consistent with expectations for galactic noise. The observed slope is also consistent with galactic noise; at 100 MHz we see an increase of about a factor of 2 over ambient ice+system temperature, consistent with Eq. (2) above.

Because the two surface low-frequency antenna are horizontal dipoles, we can make use of the standard dipolar cosine response

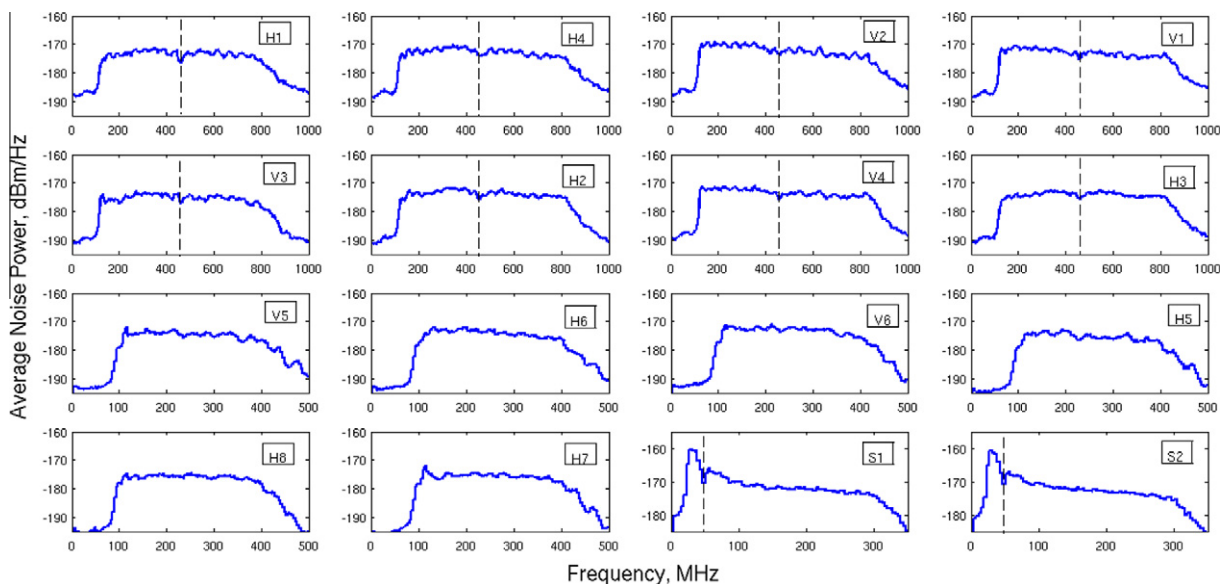


Fig. 13. Average noise power spectral density for recent data for all antennas in the current ARA-testbed.

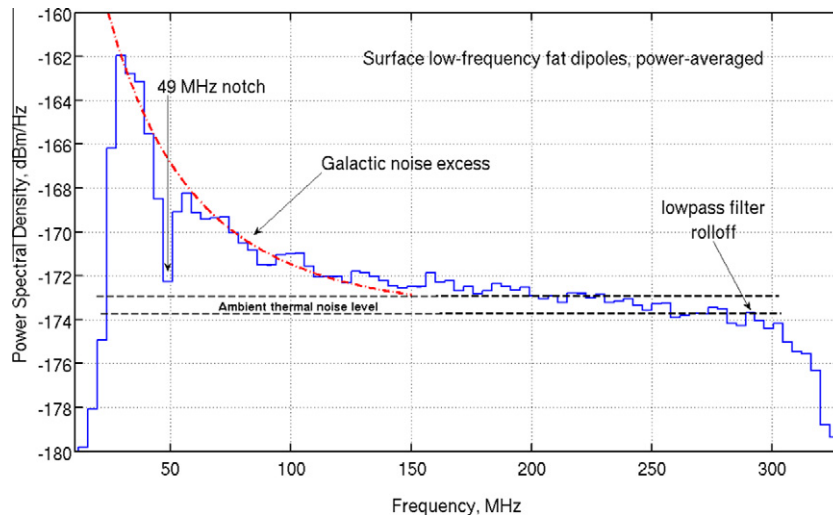


Fig. 14. Average noise power spectral density for the surface antennas with extended low frequency response.

of the antenna beam pattern to test for modulation of the galactic noise on the time scale of a sidereal day. As the dipole beam rotates through the galactic plane, which has an inclination of  $\sim 63^\circ$  with respect to the horizon at the South Pole, the dipolar response pattern alternately views the hotter galactic plane and the cooler polar regions. We have tested for this effect for three months of our testbed data, and these are folded together according to a sidereal period. This is shown in Fig. 15 for the two surface antennas, and there is clear sinusoidal modulation evident in the total power, which in this case has been low-pass filtered below 70 MHz to enhance the galactic noise component. The nominal azimuthal orientation of these antennas differs by about  $22^\circ$  according to our as-built surveys, and we thus expect a phase shift between the two sinusoids. In fact we observe a  $36^\circ$  phase difference, somewhat different than our expectations. However, given that there are coaxial cables running within several meters of one of the antennas, well-within the Fresnel zone of wavefront disturbance for these frequencies, we attribute the difference to a distortion of the main beam of one of the antennas. These results in any case lend confidence to our estimates of the system and antenna temperatures for the ARA-37 testbed.

### 3.2.3. Solar Radio Burst of February 13, 2011

On February 13, 2011, the Green Bank Solar Radio Burst Spectrometer detected a series of strong type II Solar Radio Bursts in a broadband measurement spanning 10 MHz up to 1 GHz [17], as seen Fig. 16 (bottom panels). Fig. 16 (top) shows the resulting ARA dynamic spectra for several of our antennas for the period of the burst. It is evident that the ARA testbed saw several components of the burst sequence clearly in several different frequency bands. The observed spectra in ARA must be deconvolved from the frequency-dependent response of the antennas to produce dynamic spectra with an absolute flux density calibration, and this is outside the scope of the current report, but the results demonstrate the sensitivity of the ARA system, and also the low background noise environment of the South Pole ARA site. Further work is underway to produce interferometric images of the Sun during this event. Fortunately, such events are relatively rare and will not pose a significant noise background to ARA observations.

### 3.3. Radio-frequency interference

As we have noted above, understanding the radio-frequency interference environment of the South Pole locale is critical to

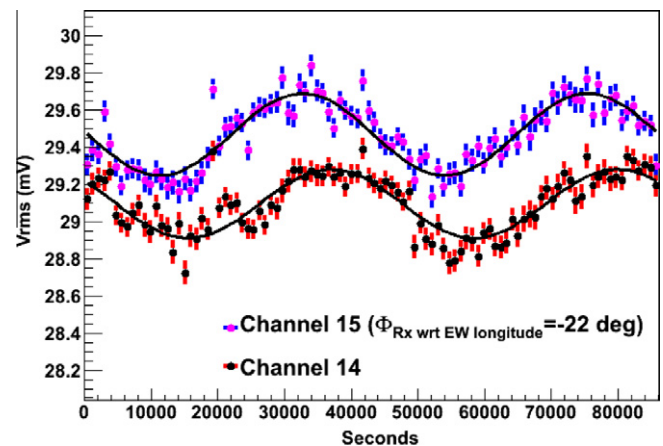
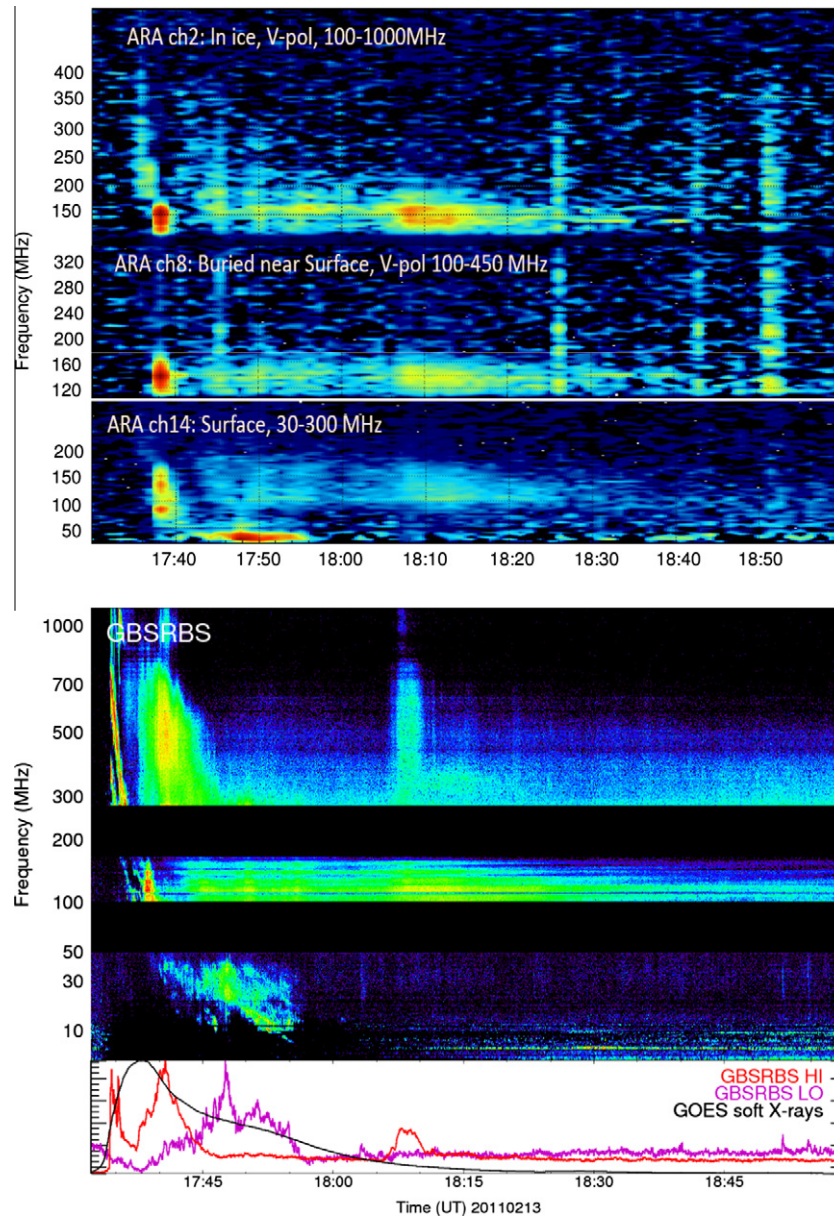


Fig. 15. Modulation of the average RMS voltages observed in the two surface low-frequency antennas during one solar day.

the effective design and operation of a radio array in its vicinity. The ARA-testbed was deployed in the latter part of the austral summer, and operations at Amundsen-Scott station continued at full pace for some weeks after we began taking data, giving us a full exposure to the types of interference that are common during the austral summer season there, when most major science activities are conducted.

Fig. 17 shows results of the trigger rates as a function of time for the ARA-testbed over the entire quarter of operation. Not surprisingly, the austral summer shows higher levels of sporadic interference. There are several specific periods where interference is strong enough to significantly impact our operation: during meteorological balloon launches, which are conducted twice daily until early March, when we observe the frequency reduced to once daily. These balloon launches utilize a  $\sim 400$  MHz transponder for data telemetry, and this produces strong interference for us for about 1/2 h in each flight. During that time, our system event rate is saturated, and the deadtime is nearly 100%, but this leads to a total loss of livetime of order 5%, and half of this in the later season where the launches are reduced to one per day.

The other significant cause of strong interference is incoming or departing aircraft which use a 129.3 MHz communication channel. In our current system, while our filters are rolling off at that frequency, they are not strong enough to suppress this signal below



**Fig. 16.** Solar Radio Burst of February 13, 2011 as observed by ARA and Green Bank Solar Radio Burst Spectrometer (GBSRBS). Top: dynamic spectra of relative RF power in several of the ARA antennas as a function of UT for that day (arbitrary units); bottom panels: dynamic spectra and time series plots of the radio intensity seen at Green Bank.

the level where it causes a high trigger rate, and again we experience 100% deadtime for a period of typically 20–30 min around the time of arrival or departure of the flights. During peak activity periods, several flights a day may land or depart, leading to an additional 5% per day loss of livetime on average.

Other than these two sources, there are occasional sporadic interference episodes associated with other activity, but these have had only a minimal effect on the livetime to date.

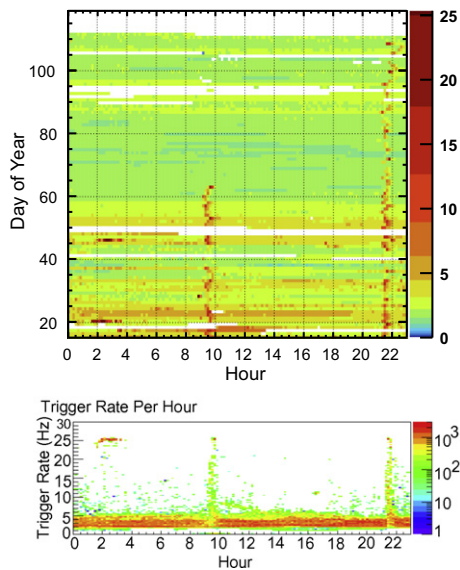
Fig. 17 (top) also shows how the trigger rate has slowly declined since the summer peak; this is likely not due to decreasing interference, but rather the temperature dependence of the trigger thresholds, as discussed above. Overall the RFI environment in the locale near Amundsen-Scott station is quite acceptable for our requirements, and we estimate the yearly average loss of livetime due to interference at of order 3% at most.

In addition to assessing noise generated by equipment already in place at the station, we installed a wind turbine system at a distance of order 800 m from the ARA-testbed as part of a program to

investigate autonomous long-term power sources for ARA-37 and future arrays that are deployed further out from the existing South Pole infrastructure. For ARA-37, the expected distances to possible wind turbines would in all cases exceed this 800 m distance. We have searched our data for triggers which specifically reconstruct toward the direction of the wind turbine, and we find none, indicating that this technology will likely be acceptable for use for ARA.

### 3.4. Calibration pulser

The local calibration pulser, which pulses at a repetition rate of 1 Hz during all periods when the ARA-testbed system is running, provides a continuous measure of the trigger functionality, and a stable timing and amplitude reference for monitoring of the ongoing performance of the system. An example of an individual calibration pulser event is shown in Fig. 18. Because the calibration pulser is located at nearly the same depth as most of the borehole antennas, the signal shape as seen by those antennas has the



**Fig. 17.** Top: hourly trigger rates for ARA prototype for about 3 months of operation of 2011. White space in the plot indicates regions where stored South Pole data could not be transferred yet due to satellite telemetry bandwidth restrictions. Bottom: the daily profile of triggers, showing the peaks associated with weather balloon flights.

broadest bandwidth and thus tends to be very narrow and coherent in time. Because the radius of the calibration pulser borehole is only three times the  $\sim 10$  m radius of the inner borehole array, an amplitude gradient across the array is quite evident in the data.

We also noted in these data that there is a second pulse, which we hypothesize is a reflection, appearing in the Hpol antennas only. Other tests done during deployment using different calibration locations saw no similar reflections, so it does not appear to be something intrinsic to these channels. The region where we deployed the ARA-testbed is still relatively close to the original station established in the 1950s. The depth at which we deployed our antennas, typically 20–30 m, is in fact the depth at which the 1950 surface layer is found. Because many air-drops of equipment in the vicinity of the Pole were done during this period, and much equipment was left in the field, it is possible we have detected a horizontal metallic object within several meters of our boreholes, and we are investigating this further in the data.

One of the important functions of the calibration pulsers is to provide a stable reference signal that can be used to determine the geometry of the array *in situ*, via the relative delays between the received waveforms within the array. Fig. 19 shows a typical example of a histogram of the delays between Vpol borehole antennas V1 and V4 for an ensemble of about 2600 calibration pulser events. The delays for each event are extracted by cross-correlating the received waveforms for each event, and this delay distribution is shown in the plot, with a fitted Gaussian to the peak region giving a well-defined mean value (arbitrary in this case) with an estimated error of about 4.5 ps, and a Gaussian standard deviation of 136 ps. The standard error on the fitted mean represents the ultimate limit of the calibration pulser data for determining geometry within the array – in this case the 4.5 ps resolution corresponds to about 1 mm in ice. Thus the timing resolution is more than adequate for calibration; our reconstruction requirements for the geometry can easily tolerate few cm accuracy on locations.

The standard deviation of the fitted Gaussian for the pulser delay distribution also provides a calibration of the potential angular resolution for the system. A standard deviation of 136 ps in this case corresponds to about 2.7 cm in the ARA-testbed ice. Our angu-

lar reconstruction of signal arrival directions depends on the ratio of our standard error on the waveform arrival to the length of the projected baseline between two antennas, e.g.:

$$\Delta\theta_{ij} = \frac{c}{n} \frac{\tau_{ij}}{\vec{S} \cdot \vec{B}_{ij}}$$

where  $\tau_{ij} = t_i - t_j$  is the baseline delay for wavefront arrival times  $t_i$  and  $t_j$  at antennas  $i, j$ , and  $\vec{S}$  is the Poynting vector of the incoming wave, here assumed to be a plane wave for simplicity. For typical baseline lengths of 15 m or more, the implied angular resolution per baseline is of order  $0.1^\circ$  for 136 ps timing error, again more than adequate for our requirements.

Fig. 20 shows the distribution of the reconstructed azimuthal direction of events observed on two separate typical days during the operation period. Events that RF-triggered the testbed during these periods were either thermal noise fluctuations, which can form random coincidences but do not reconstruct as plane- or spherical-waves when analyzed offline, or RF triggers from the calibration pulser, or from any other RF interference or backgrounds that may be present. The latter two types of events recur from fixed directions: the calibration pulser from a fixed  $\sim 30^\circ$  azimuth; RFI can occur from a variety of directions but will be associated with the South Pole Station, and are likely to repeat, thus giving clusters of events in stable directions associated with human activity. It has also been hypothesized that wind-blown snow could create electrical discharges itself, or by depositing charge on structures which then discharge once they reach a high-enough potential. Thus we have looked for a background of random triggers that are associated with higher-than-normal winds, or structures such as our wind-turbine system.

We find that almost all RF trigger events observed have an azimuth consistent with that of the calibration pulser with respect to the center of the array. January 29, 2011 was a period of relatively high winds ( $>10$  m/s), which produces more opportunity for static discharge on any above-surface structures, and also yields higher power generation in the nearby wind turbine system. By contrast March 19 was a period of relatively calm wind. In neither case did we observe any significant number of events that reconstructed to any other direction, including the  $\sim 155^\circ$  azimuth of the nearby wind turbine system, and other directions associated with the IceCube Laboratory and South Pole Station. Fig. 21 shows a two-dimensional map of the reconstructed events for the higher wind date, with an inset showing the azimuth distribution. A very small fraction of events misreconstruct in elevation angle as evident in the plot, but the vast majority of events are consistent with the calibration pulser only.

### 3.5. Deep pulser measurements

In our measurements, all of the IceCube pulsers show some degree of saturation in the received signals at the ARA-testbed. While this bodes well for future studies of long-range ice transmission for ARA, the saturated waveforms in the ARA-testbed complicate efforts at precision estimation ice transmission parameters.

In addition, the bicone antenna design for deployment concentric to the IceCube cables, and under the extreme high pressure of the re-freeze that occurs in the hot-water-filled IceCube boreholes, led to some challenges in the antenna construction that also came with risk. For example, the clam-shell jointing of the antennas to surround the IceCube cable must be done during a rapid deployment, and inadequate contact for the joint can lead to shunt-capacitance across the slot, and cause some radiation of Hpol as well as Vpol signals. Also, the long-wire vertical IceCube cable in close proximity to the antenna can lead to re-radiation and scattering of the signal. As a result of analysis of the signals and comparison

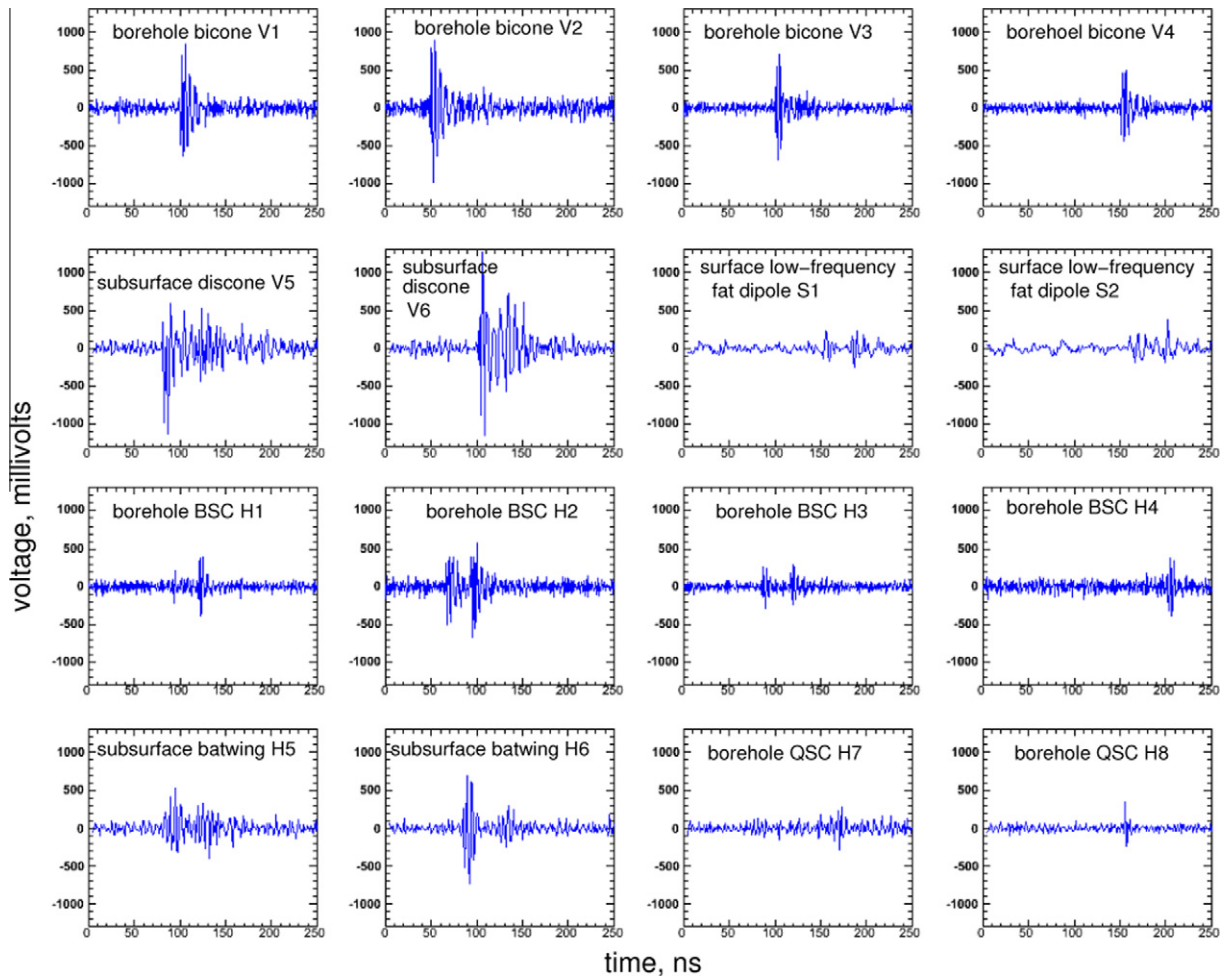


Fig. 18. Local calibration pulser event waveforms in all ARA-testbed antennas.

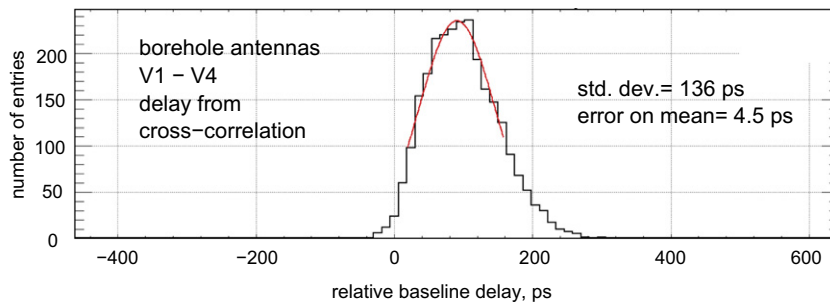


Fig. 19. Example of delay histogram from cross-correlated waveforms for an ensemble of about 2600 calibration pulser events, in this case for borehole antennas V1 and V4. The origin is arbitrary in this case.

with some prior lab measurements, we conclude that the transmitted pulse from the deep pulser was dispersed in time over typically a  $\sim 25$  ns time window, although it appears that most of the pulse power was in fact contained within this dispersed pulse.

Despite these difficulties, we have observed signals from these transmitters at up to a 3.2 km slant range from the source. The best example of this is shown in Fig. 22 which comes from the furthest and deepest of the deployed pulsers, installed in IceCube Hole #1 at a depth of 2450 m and a horizontal distance of about 2 km from the ARA-testbed, for a total slant range of 3.16 km at an angle of about  $40^\circ$  from the vertical. Some of the observed signals still saturate our DAQ dynamic range even at this distance, and we do

observe significant Hpol signal as well as Vpol; suggesting that the clam-shell coupling of the antenna was not complete. The Hpol signals also have higher frequency content than the Vpol signals on average, and are factors of 2–3 weaker in amplitude, which is consistent with radiation from partial slots along the antenna's vertical joint. In several cases, receiving antennas are partially shadowed by antennas in the foreground with respect to the pulse arrival direction. The radius of the first Fresnel zone is the region around any obstruction within which a propagating wave is disturbed, and for the ARA-testbed antennas for a source at distance  $R_s$  and the foreground antenna at distance  $d$  from the receive antenna we have

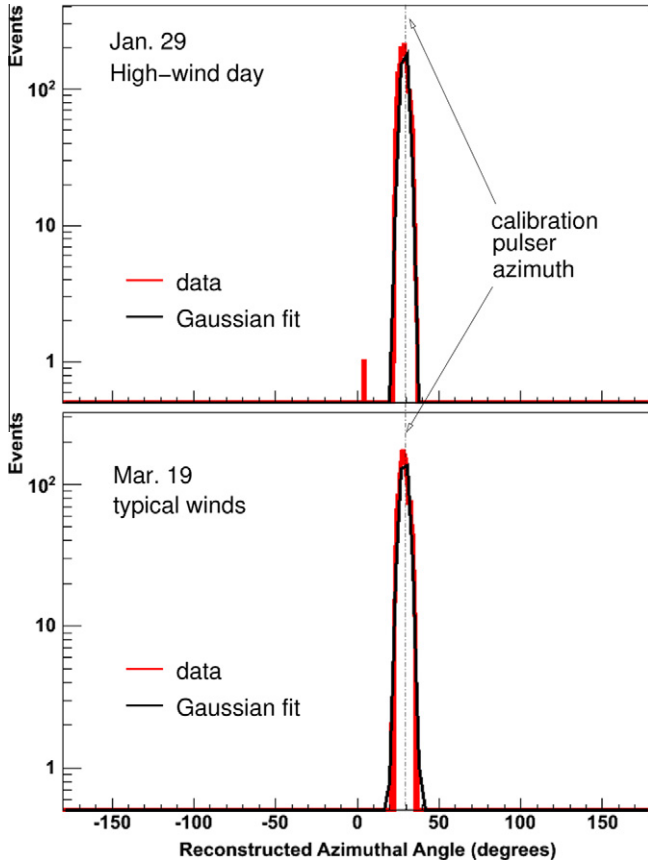


Fig. 20. Examples of the azimuth distribution of events observed during two days of the ARA-testbed operation.

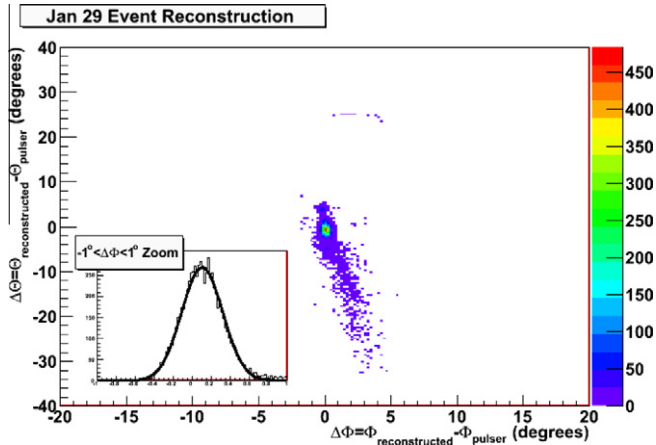


Fig. 21. Two-dimensional elevation vs. azimuth reconstructed distribution of events referenced to the calibration pulser direction, and an inset that shows the azimuth distribution, with angular resolution well under  $1^\circ$ .

$$R_F = \sqrt{\frac{\lambda R_s d}{R_s + d}} \quad (3)$$

For  $R_s = 3200$  m, and  $d \sim 20$  m,  $R_F \sim 4$  m for  $\lambda \sim 1$  m in ice, indicating that we would expect several of the antennas to suffer from significant shadowing, which we observe.

### 3.5.1. Attenuation length estimates

If we isolate our attention to the foreground Vpol antennas that are undisturbed, we may use the resulting amplitude to estimate

the average attenuation length  $\langle L_\alpha \rangle$  over the entire 3.16 km propagation path, along with our knowledge of the antenna and pulse parameters at the source. The attenuation length can be determined from the Friis equation [18], which relates the received power  $P_r$  to the transmit power  $P_t$  as a function of frequency:

$$P_r(\nu) = 4\pi P_t(\nu) e^{-2R/(L_\alpha)} \frac{\nu^4 A_r A_t}{c^2 R^2} \quad (4)$$

where  $R$  is the path distance through the ice, and  $A_r$ ,  $A_t$  are the receive and transmit antenna effective areas (including antenna coupling efficiency), which are in general also functions of frequency  $\nu$ . Inverting this for the average attenuation length we have:

$$\langle L_\alpha \rangle = -2R \left( \log \left[ \frac{P_r}{P_t} \left( \frac{c^4 R^2}{4\pi \nu^4 A_r A_t} \right) \right] \right)^{-1} \quad (5)$$

The quantity  $\langle L_\alpha \rangle$  in this case is a weighted average, where the weights are determined by the vertical temperature profile of the ray paths, since the attenuation coefficient (in units of  $\text{m}^{-1}$ ) is  $\alpha = L_\alpha^{-1} = \alpha(\nu, T_{ice})$ , a strong function of the ice temperature  $T_{ice}$  [25,26].

Accounting for the transmitted power, for the bicone transmitter antenna response, estimated insertion losses, antenna beam pattern, a first-order estimate of the signal saturation, and the receive-antenna response, our estimate of the ice attenuation length (referenced to 300 MHz) is plotted in Fig. 24 as a function of depth. The depth dependence is deconvolved from the total attenuation under the reasonable assumption that the behavior with depth is dominated by the ice temperature profile, which has been determined quite well for South Polar ice [27]. The average attenuation length for all depths, 820(+125, -60) m is also given. The errors here are dominated by our systematics on the received amplitude and pulse shape. The resulting value is quite consistent with values derived from vertical bottom-bounce methods at the South Pole [9], and the systematics here are different from those in the bottom-bounce measurement in which the bottom reflection coefficient is unknown. Note that the attenuation length derived is dominated by the extended propagation distance in the relatively warm basal ice; considering the upper 1.5 km where the ice is much colder than the basal ice, the effective average attenuation length is nearly 1.7 km. This remarkably long field attenuation length of the ice in this extremely cold region of the cryosphere sets it apart from any other natural (and in fact most man-made) dielectrics as the most transparent solid medium on Earth. It is perhaps the single most important characteristic of the ice for enhancing the performance and viability of an array such as ARA.

### 3.5.2. Surface reflection

Another interesting feature observed in the deep pulser signals, which arrive at the ARA-testbed as a close approximation to a plane wave, is the surface reflection which is seen in several antennas, most clearly in borehole bicones V1 and V2. These differ in depths by several meters, leading to a different delay time before the reflection arrives. In antenna V2, the reflection is clearly phase-inverted compared to the primary signal; V1's record cuts off too early to observe this clearly. To verify the presence of the reflection, the waveform (top) and a cross-covariance estimate (bottom) of the primary and secondary pulses with the primary pulse are shown in Fig. 23. The cross-covariance has its highest correlation with the primary pulse at a 122 ns delay, where the peak is a 60% anticorrelation, as seen in the figure. V2's signal amplitude for the reflection is also quite close to the direct signal amplitude, which is consistent with a total internal reflection off the top of the ice, as expected for the estimated  $57^\circ$  incident angle of arrival with respect to the ice surface normal.

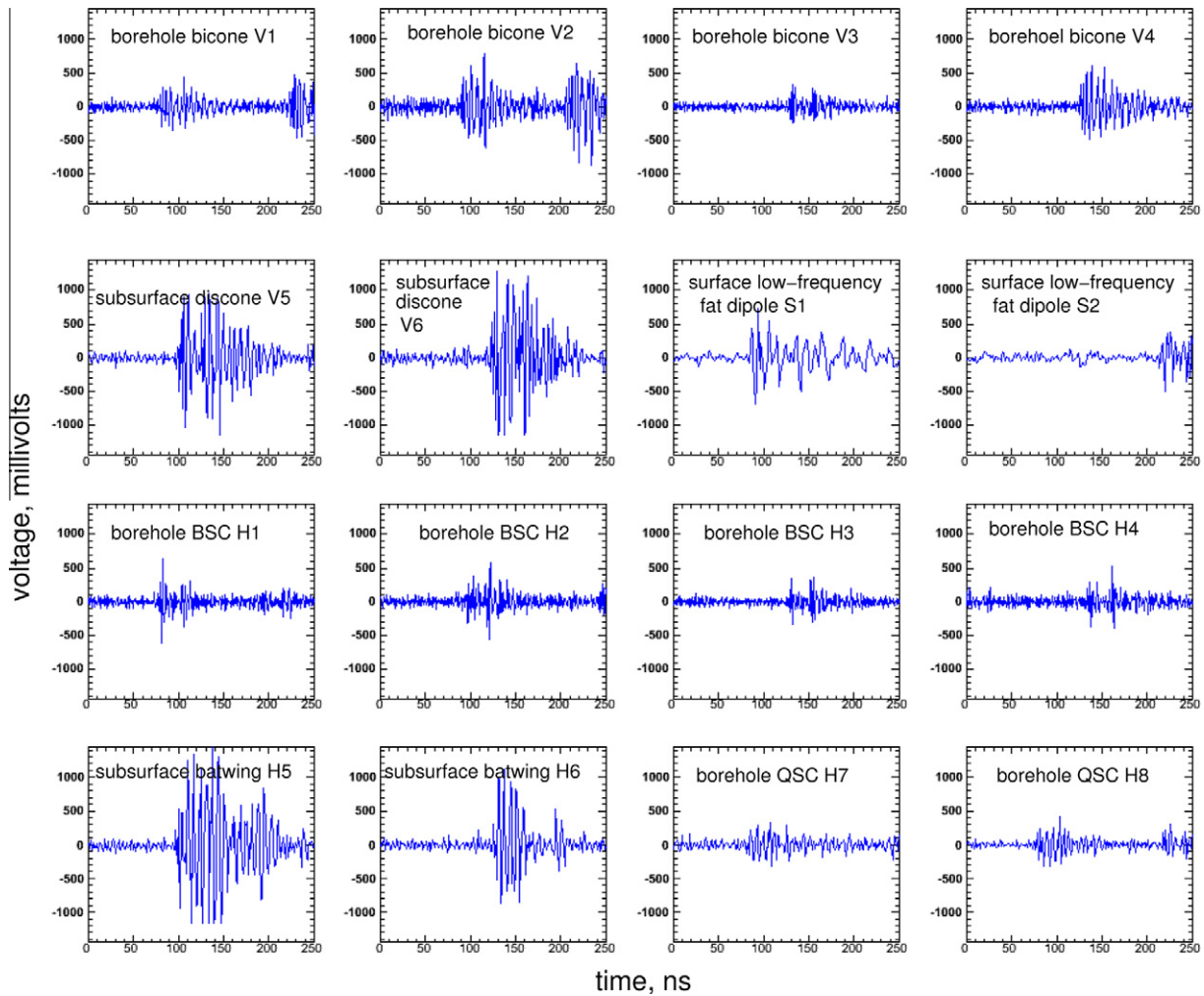


Fig. 22. Deep calibration pulser event waveforms in all ARA-testbed antennas.

Fig. 25 shows numerical ray trace paths for this antenna from the IceCube deep pulser (top), and a zoom to the region of the reflection in the bottom pane. The numerical ray tracer uses the eikonal equation and a refractive index model developed based on radio index of refraction data from the RICE experiment at the South Pole, and returns both the ray path and total wave transit time along the ray. The delay observed in antenna V2's waveform from the direct to inverted reflection is 120.0 ns. For the ray paths from Fig. 25, the direct path transit time is 18,724.53 ns, and the reflected ray path requires 18,669.92 ns to the surface, followed by 176.6 ns from the surface to the antenna, for a relative delay of 122 ns with respect to the direct path, a result identical to that observed in the data. This also independently confirms the precision of our index-of-refraction model.

It is a generic feature of a subsurface radio array that signals may be observed both directly and via the surface reflection, or even via near-reflections for rays that are curved back down near the surface; this effect is not yet incorporated into our simulations, but will improve the detection efficiency in general, and give some additional reconstruction power as well.

#### 4. Expected performance for ARA-37

We characterize the expected performance of ARA based on an extensive suite of Monte Carlo and other simulation and modeling

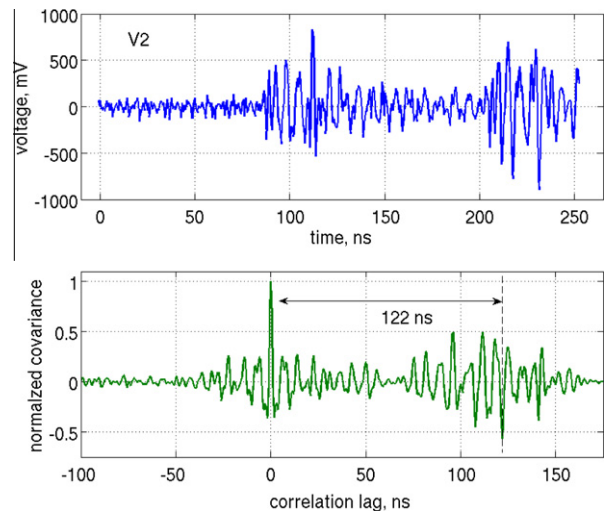
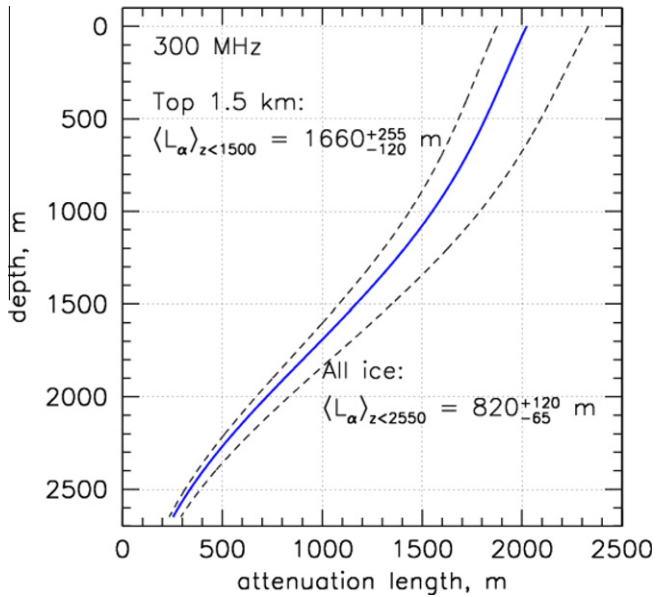
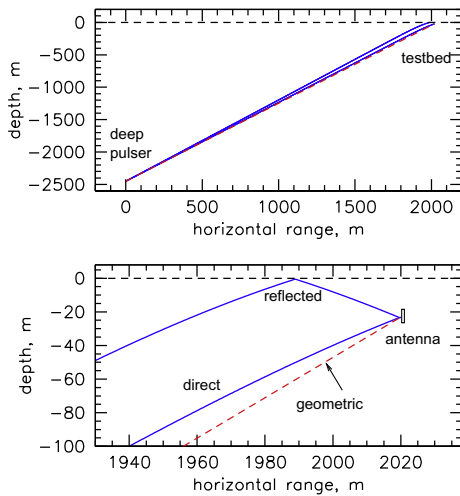


Fig. 23. Top: antenna individual V2 received waveform from the deep pulser, showing the secondary surface reflection near the end of the trace. Bottom: cross-covariance of the first pulse with the entire waveform. Note that the peak covariance from the second (reflected) pulse is inverted in phase with the primary pulse, at a lag time of 122 ns, which is within 1% of the propagation time estimate for the reflected ray.





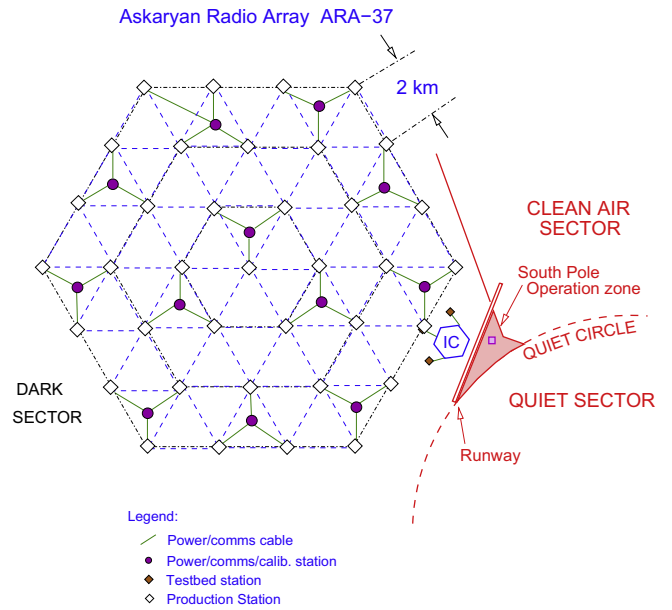
**Fig. 24.** The field attenuation length over the 3.16 km path from the deep pulser to the ARA testbed as a function of depth. The average attenuation length over all depths is also given.



**Fig. 25.** Ray paths for direct and reflected rays to antenna V2. The red-dash line gives the geometric ray path for the direct ray. (For interpretation of the references to colour in this figure legend, the reader is referred to the web version of this article.)

tools refined over the last two decades, using code developed for radio methods for detection of UHE neutrinos since the mid-1990s. The heritage of the simulation methodology is many generations deep and has been proven over a wide range of active and completed experiments, including the RICE [19] and AURA [20] experiments, which are direct pre-cursors to ARA, the Goldstone Lunar Ultra-high energy neutrino Experiment (GLUE) [24], and the ANITA experiment [21–23] (see Fig. 26).

Our Monte Carlo tools include detailed ice attenuation modeling and raytracing to account for the gradient in the index of refraction of the ice vs. depth. They provide state-of-the-art modeling of the Askaryan radiation from showers via tested parametrizations, which have been validated by direct measurements of the Askaryan effect in ice at SLAC [28]. Neutrino propagation through the earth and ice sheets is modeled in detail, and the particle



**Fig. 26.** Planned layout of the 37 ARA stations with respect to the South Pole Station and associated sectors. ARA-37 is located in the “dark sector,” denoted as such because of restrictions on visible light and other electromagnetic emission that would interfere with scientific instruments during the austral winter months.

physics of the interaction, including neutral and charged-current effects, fully-mixed neutrino flavors, and secondary shower production due to charged-current  $\tau$ - and  $\mu$ -leptons are accounted for in the models. Finally, the detectors are also modeled with high fidelity, including the effects of Rician noise in the detection process, spectral response functions of the antennas, and full 3-D polarization propagation for the radio waves that interact with the detector. We thus have reason to report these performance estimates with some confidence.

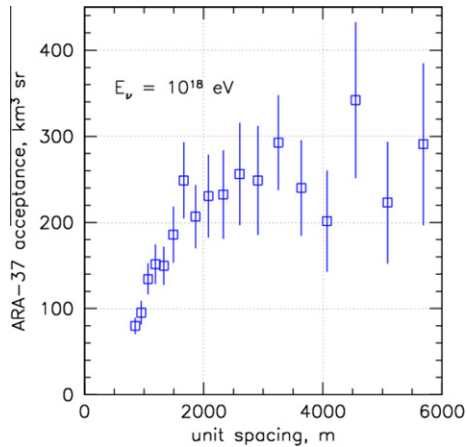
#### 4.1. Station spacing

In initial studies of the ARA-37 array [29], we adopted a 1.33 km spacing between stations as a compromise which gave adequate sensitivity while still allowing for enough overlap between the stations’ effective target volumes to yield reasonable fraction of multi-station coincident events. However, in the interim, indications of possible heavier nuclear composition for the UHECRs have led to estimates for the cosmogenic neutrino flux which are significantly lower than for a pure proton spectrum, and thus in our current designs, we optimize the ARA-37 array for discovery potential, to maximize the number of detected events. Fig. 27 gives the results of a parametric study of the neutrino acceptance of the array as a function of the spacing for a neutrino energy of 1 EeV, which is an excellent proxy on average for the total number of detected events integrated over a typical cosmogenic neutrino spectrum.

We find that the acceptance grows rapidly with spacing starting with sub-kilometric sizes, and then becomes fully saturated at about 2–3 km. In our current design we have thus adopted 2 km as our baseline spacing; this choice reflects a good compromise between maximizing the sensitivity while still recognizing the potential logistical costs that grow with array size.

#### 4.2. Sensitivity

The primary metric for detection of cosmogenic neutrinos, which are presumed to arrive isotropically on the sky, is the volumetric acceptance  $\mathcal{V}\Omega$ , in units of  $\text{km}^3 \text{sr}$ . An equivalent parametric



**Fig. 27.** Simulation of the effective acceptance for ARA-37 as a function of the inter-station spacing, for an energy of 1 EeV. Errors are due to the limitations of the Monte Carlo statistics.

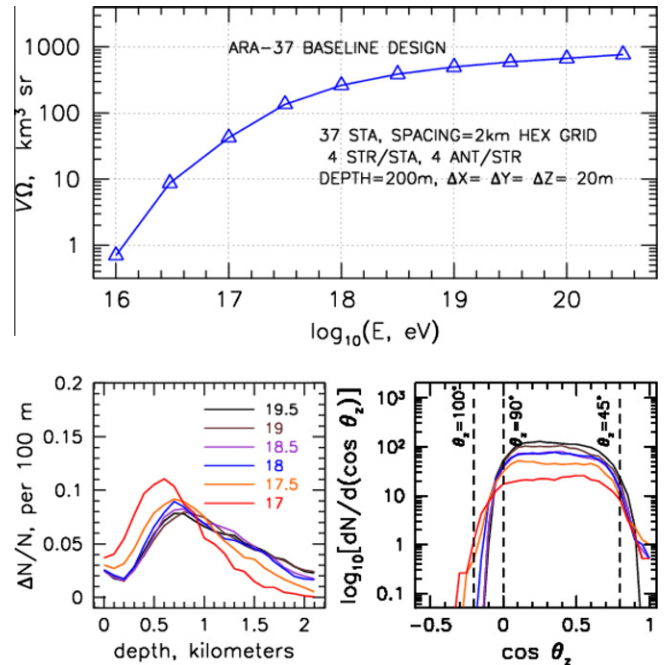
zation is the areal acceptance  $\mathcal{A}\Omega$  ( $\text{km}^2 \text{sr}$ ) and the two are closely related by  $\mathcal{A}\Omega = \nu\Omega/\mathcal{L}_{int}(E_\nu)$  where  $\mathcal{L}_{int}$  is the interaction length of the neutrinos as a function of neutrino energy  $E_\nu$ . The volumetric acceptance, divided by the instrumented target fiducial volume, gives a measure of the detection efficiency of neutrinos which interact within the fiducial volume of a detector. In the case of ARA-37, one realization of the simulation uses a cylindrical ice target volume of radius 10 km, and depth 2 km. Because of earth attenuation, neutrinos arrive almost exclusively from above the horizon, nominally giving  $\sim 2\pi \text{sr}$  for the solid angle. The net target acceptance of the simulated ARA detector is thus just over  $4000 \text{ km}^3 \text{sr}$ , and this represents the maximum neutrino volumetric acceptance the simulation could obtain. However, once the constraints given by the neutrino interaction cross section, the ice attenuation length, and the ray-tracing geometry of the ice, and the antenna response functions are imposed, the effective acceptance becomes an energy-dependent fraction of the initial target acceptance.

Fig. 28 shows the simulated  $\nu\Omega$  results for our adopted baseline design, as a function of neutrino energy in the range of interest for the cosmogenic neutrino flux. The acceptance reaches the level of  $>200 \text{ km}^3 \text{sr}$  at the mid-range of the cosmogenic neutrino flux (which for the vast majority of models has a broad plateau from about  $5 \times 10^{17} \text{ eV}$  up to just over  $10^{18} \text{ eV}$ ) and continues growing slowly up to the highest simulated energies, approaching a Tera-steradian.

Fig. 28 (bottom) gives a plot summary of some characteristics of the simulated data vs. neutrino energy. On the bottom left, the depth distribution of detected events is shown normalized to the event fraction per hundred meters. Events originating from below about 2 km depth tend to be suppressed, as the attenuation of the ice begins to grow quickly in the warmer basal ice [9]. The estimated average attenuation length of our 2 km-deep fiducial volume is about 1.5 km, a factor of three better than ice in locations such as the Ross Ice Shelf, where the thickness is limited to several hundred meter, and the attenuation lengths are comparable to this thickness scale. SP ice, especially in the upper 2 km of its depth, is the clearest solid dielectric medium on Earth in the radio range, and is the most compelling natural feature of the ARA site.

Fig. 28 (bottom) also shows the arrival zenith angular distribution of neutrino events that were detected, showing that the neutrino angular acceptance spans a range from  $\sim 5^\circ$  below the horizon to  $\sim 45^\circ$  above the horizon, more than 6 sr of solid angle.

In Table 2 we give expected neutrino event totals from a wide range of currently allowed cosmogenic neutrino models for ARA



**Fig. 28.** Top (large pane): simulated neutrino volumetric acceptance ( $\text{km}^3 \text{sr}$  water equivalent) for the ARA instrument baseline design. Bottom left: depth distribution of simulated events for different neutrino energies, showing the contribution of deep ice down to 2 km or more at the higher energies. Bottom right: zenith angle distribution of detected neutrino arrival directions for a range of neutrino energies. Events are detected over a range from  $\sim 45^\circ$  above the horizon to  $\sim 5^\circ$  below it.

in three years of operation, compared to recent published expectations for the best current limits to date, from the ANITA-II flight [21]. It is evident that ARA-37 will extend in sensitivity above ANITA-2's sensitivity by factors of two orders of magnitude or more. For strong-source-evolution and baseline models, ARA-37 detects between of order 50 to over 200 events in three years of operation, enough to establish the basic characteristics of the energy spectrum and source arrival directions.

There are also recent cosmogenic neutrino flux estimates which compute neutrino fluxes subject to constraints from the Fermi diffuse gamma-ray background [39], and which include a heavier nuclear composition (e.g., an admixture of iron) for the UHECRs [37,38,32]. Over a 3-year timescale all of these models are detectable, but in some cases only marginally, and up to five years will be necessary to establish the flux. Over the planned instrument life of a decade or more, ARA-37 will thus be able to establish the flux levels for all models, even the most conservative, and to begin measurements of their energy spectral dependence as well.

### 4.3. Resolution

Although not directly important for detection of neutrinos, the resolution of both the distance and angles to the neutrino interaction vertex, as well as the ability to reconstruct coarse neutrino incident directions on the sky, are important characteristics of our detector, and we have studied them in detail. This is especially important for our current realization of ARA-37, since the wider spacing will lead to very few multi-station coincident events, and thus each station must function as a stand-alone neutrino detector in both shower energy estimation and neutrino direction angular resolution.

To make these measurements, we have 16 antennas per station, and thus 16 waveform amplitudes and phases, as well as the frequency spectral components of the coherently-summed waveform

**Table 2**

Expected numbers of events  $N_V$  from several UHE neutrino models, comparing published values from the 2008 ANITA-II flight with predicted events for a three-year exposure for ARA-37.

Model & references	$N_V$	
	ANITA-II (2008 flight)	ARA 3 years
<i>Baseline cosmogenic models</i>		
Protheroe and Johnson [30]	0.6	59
Engel et al. [31]	0.33	47
Kotera et al. [32]	0.5	59
<i>Strong source evolution models</i>		
Engel et al. [31]	1.0	148
Kalashv et al. [33]	5.8	146
Barger et al. [35]	3.5	154
Yuksel and Kistler [36]	1.7	221
<i>Mixed-iron-composition</i>		
Ave et al. [37]	0.01	6.6
Stanev [38]	0.0002	1.5
Kotera et al. [32] upper	0.08	11.3
Kotera et al. [32] lower	0.005	4.1
<i>Models constrained by Fermi cascade bound</i>		
Ahlers et al. [39]	0.09	20.7
<i>Waxman–Bahcall (WB) fluxes</i>		
WB (1999) evolved sources [40]	1.5	76
WB (1999) standard [40]	0.5	27

which can be estimated to good precision once the arrival direction is fitted. From the Vpol and Hpol data we also fit the plane of polarization, and with precise timing we can measure the radius of curvature of the arriving wavefront.

Our measurement of the distance to the neutrino vertex is accomplished by the estimates of the wavefront curvature. This may be thought of as measuring the residuals when fitting the arrival times to a plane wave. For the angular measurements, the antenna array is analyzed as a correlation interferometer, and precise timing differences between the arrival times of the Askaryan radio impulse are determined for all of the  $N(N-1)/2$  pairs of  $N$  antennas.

Complementing the precise timing measurements, we can also operate our cluster array as a radio intensity gradiometer and polarimeter. The gradiometric function comes through amplitude calibration of the received impulse, and the polarimetric information comes from ratios of the calibrated amplitudes of the Vpol and Hpol antennas.

All of these estimates are done in offline reconstruction routines. They are not necessary for the triggering of the array to record potential neutrino events, but they do make maximal use of the recorded information in the waveforms and arrival times of the events.

#### 4.3.1. Vertex resolution

The critical parameter for vertex location is the intra-cluster timing precision. For this we have used actual measurements made with ANITA data, to which our collaboration has access. The ANITA payload, which uses waveform digitizers that are comparable to our planned digitizers, has demonstrated timing resolution as good as 30 ps rms for waveforms registered at the  $4\sigma$ -level detection threshold of ANITA. These timing precisions come about from extensive in-flight calibration using ground-based impulse generators, and have proven robust in the ANITA analysis [23]. For our simulations we have derated these values by a factor of 3.3 to account for our more limited radio bandwidth, the slower sampling rate we expect to use, and for possibly unknown systematics in our calibration.

Fig. 29 (left, middle) shows the results of these simulations for both the range and pointing resolution to the vertex. The latter val-

ues are important for determining whether an event originates under the ice or from above the ice, and the former values, combined with our knowledge of the ice attenuation, will bear directly on our ability to perform calorimetry on the neutrino shower.

#### 4.3.2. Incident neutrino direction resolution

Estimating the neutrino vertex location in three dimensions does not immediately determine the arrival direction of the neutrino itself, and it may appear that the tight constraints of the cluster geometry would preclude determination of the neutrino direction, since this is normally done by imaging of the Cherenkov cone, at least in ring-imaging Cherenkov detectors. However, the richness of the radio wave information content does in fact allow for first order Cherenkov cone determination, using both the amplitude gradient of the cone, and the polarization vector, which lies in the plane containing the Poynting vector of the radiation and the shower momentum vector. Thus once the Poynting vector is determined via the vertex reconstruction, the plane of polarization combined with the local gradient in the cone amplitude is sufficient to constrain the neutrino direction on the sky.

To study the neutrino direction resolution, we have included first-order reconstruction algorithms in our Monte Carlo neutrino simulation. These do not yet perform a maximum likelihood minimization which would be very appropriate for this complex problem, but instead they perform a  $\mathcal{E}^2$ -grid search over variational parameters once the event has been detected in the simulation, which includes appropriate thermal noise backgrounds. These simulations are computationally intensive, and involve full 3D ray-tracing of the radio propagation through the ice for each tested grid-point. Fig. 29 (right) shows the results for about 80 detected events in a simulation run at  $E_V = 3 \times 10^{18}$  eV. The reconstruction for these events was about 80% efficient (that is, 20% of the events failed to reconstruct), but the reconstructed zenith angle distribution shown has a very acceptable standard error of  $\sim 6^\circ$ , the simplicity of our reconstruction code notwithstanding.

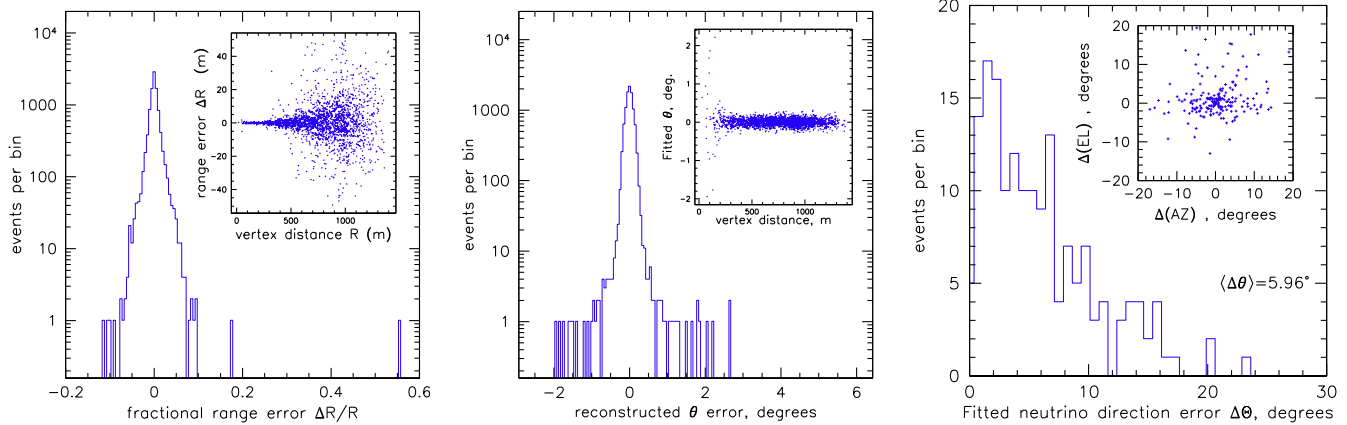
#### 4.3.3. Energy resolution

Once the event geometry has been reconstructed, the shower energy is determined via standard parametric equations [42–44]. For example, a parameterization due to Lehtinen [42] gives the shower energy as a function of radio frequency  $E_{sh}(f)$  as:

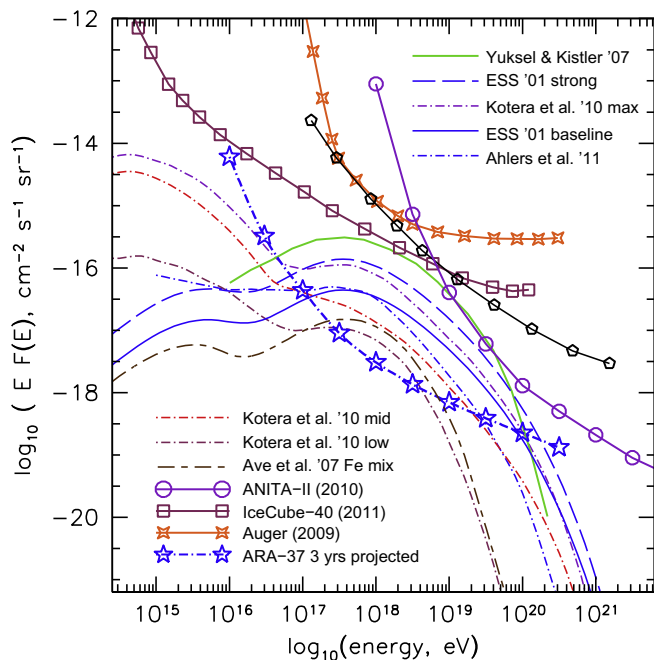
$$|E_{sh}(f; R, \theta)| = \sqrt{2\pi} R^{-1} \mu \mu_0 Q L f \sin \theta e^{-(kL)^2 (\cos \theta - 1/n)^2 / 2} \quad (6)$$

where  $R$  is the shower distance,  $Q$  and  $L$  are standard shower parameters relating to the excess charge and shower length,  $\theta$  is the observer's polar angle with respect to the shower (and neutrino) direction,  $k = 2\pi/\lambda$  is the wavenumber,  $n$  the index of refraction of the ice; for typical dielectrics  $\mu = 1$ , and  $\mu_0 = 4\pi \times 10^{-7}$  is the permeability of free space.

Using standard variational analysis the fractional shower energy ( $E_{sh}$ ) variation with range error  $\Delta R$  is  $|\Delta E_{sh}/E_{sh}|_R = e^{-\alpha R} (\Delta R/R)$  for small ice attenuation coefficient  $\alpha = L_\alpha^{-1}$ . The variation with uncertainty in  $\alpha$  is  $|\Delta E_{sh}/E_{sh}|_\alpha = Re^{-\alpha R} (\Delta \alpha)$  which is generally negligible since  $\Delta \alpha$  is of order  $10^{-3}$  at most. The corresponding variation with neutrino angular error  $\Delta \theta$  is  $|\Delta E_{sh}/E_{sh}|_\theta \simeq \cos \theta_C \Delta \theta$ , where we evaluate the variation near the Cherenkov angle  $\theta_C$ . Finally an estimate of the neutrino energy from shower energy must account for the large variance in the Bjorken- $y$ -distribution, defined by  $E_V \simeq y^{-1} E_{sh}$  for charged-current  $\nu_\mu$ ,  $\nu_\tau$  and all neutral-current events; electron neutrino events will be less affected by this, so our estimate is conservative. At neutrino energies of  $10^{17-19}$  eV, numeric evaluations give  $\langle y \rangle \simeq 0.22$ ,  $\Delta y/y \simeq 1$ , thus  $|\Delta E_V/E_V|_y = \Delta y/\langle y \rangle \simeq 1$ . Assuming these errors are uncorrelated, and using  $\Delta R/R \sim 0.02$  with a mean  $R \sim 1$  km, and  $\cos \theta_C \delta \theta = 0.06$ , the root-sum-squared error is dominated by the Bjorken- $y$  uncertainty,



**Fig. 29.** Left: distribution of fractional range errors in single-antenna-cluster reconstruction of neutrino interaction vertex. Left inset: the distribution of reconstructed vertex range errors vs. range. Middle: similar to left plot for reconstructed zenith angle of vertex relative to antenna cluster. Middle inset: distribution of reconstructed zenith angle vs. range to vertex. Right: distribution of polar angle errors for full reconstruction of the incoming neutrino direction, using vertex reconstruction, amplitude, and polarization information. Right inset: the 2-D distribution of reconstructed directions relative to true neutrino direction.



**Fig. 30.** Compilation of sensitivity estimates from existing instruments, published limits, and a range of cosmogenic neutrino models, along with the expected 3 year ARA sensitivity.

giving  $|\Delta E_V/E_V|_{total} \sim 1$  for  $E_V = 3 \times 10^{18}$  eV. This resolution will also be comparable for lower neutrino energies in the cosmogenic neutrino spectral range. The  $y$ -dominated uncertainty is generic for UHE neutrino experiments, but this energy resolution is wholly adequate for the first-order science goals of the ARA instrument.

#### 4.4. Comparison to existing instruments

Fig. 30 provides a comprehensive graphic summary of the comparison of our estimated ARA sensitivity to estimates for several operating experiments, along with 2006 limits from the ARA forerunner experiment RICE [19]. We have already noted the comparison of ARA to the published ANITA limits; here we use projections for ANITA's reach after three flights, along with similar projections for IceCube and the Auger Observatory. Cosmogenic neutrino models are also included from a wide range of estimates

[30,31,33,34,37,40,45], including the pure-Iron UHECR composition model noted above.

ARA improves over any other current instrument by an order of magnitude within 3 years of operation, filling in an important gap in sensitivity in the heart of the cosmogenic neutrino spectral energy region. IceCube has excellent sensitivity to lower energies, up to the 10 PeV level, and ANITA has unmatched sensitivity at the higher energies, above 10 EeV. The Auger Observatory, while probing a similar energy range as ARA, does not have as high a neutrino sensitivity as it is primarily a UHECR instrument. ARA will complement these other instruments by making high sensitivity observations in the 0.1–10 EeV energy range, matching the peak of the expected cosmogenic neutrino fluxes.

## 5. Conclusions

We have described the design and initial performance of a new ultra-high energy neutrino detector at the South Pole, the 16-antenna, self-triggering ARA-testbed, which is a high-fidelity prototype for future ARA detector stations. Our initial operation extending well into the extreme thermal environment of the austral winter indicates that radio-frequency interference is infrequent and has only a slight impact on operation for our testbed detector, which is the closest of any future ARA stations to the primary sources of interference at the South Pole station. Other than brief periods of sporadic interference, the baseline radio noise levels are dominated by the pure thermal noise floor of the ambient ice, and the thermal noise does not appear to be correlated with wind velocity. We have demonstrated the ability to maintain impulse trigger sensitivity at a level close to the thermal noise. We have demonstrated RF impulse propagation of more than 3 km slant range through the South Pole ice without significant loss of signal coherence. We have demonstrated inter-antenna pulse timing precision of order 100 ps, implying angular resolutions which are more than adequate for neutrino vertex reconstruction. We have presented simulations using characteristics projected from our measurements which give high confidence that our completed phase-I array, ARA-37, will achieve its goal of a robust detection of cosmogenic neutrinos, and will lay a clear foundation for an observatory-class instrument.

## Acknowledgments

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